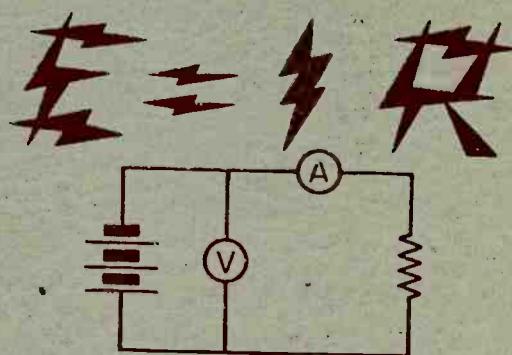
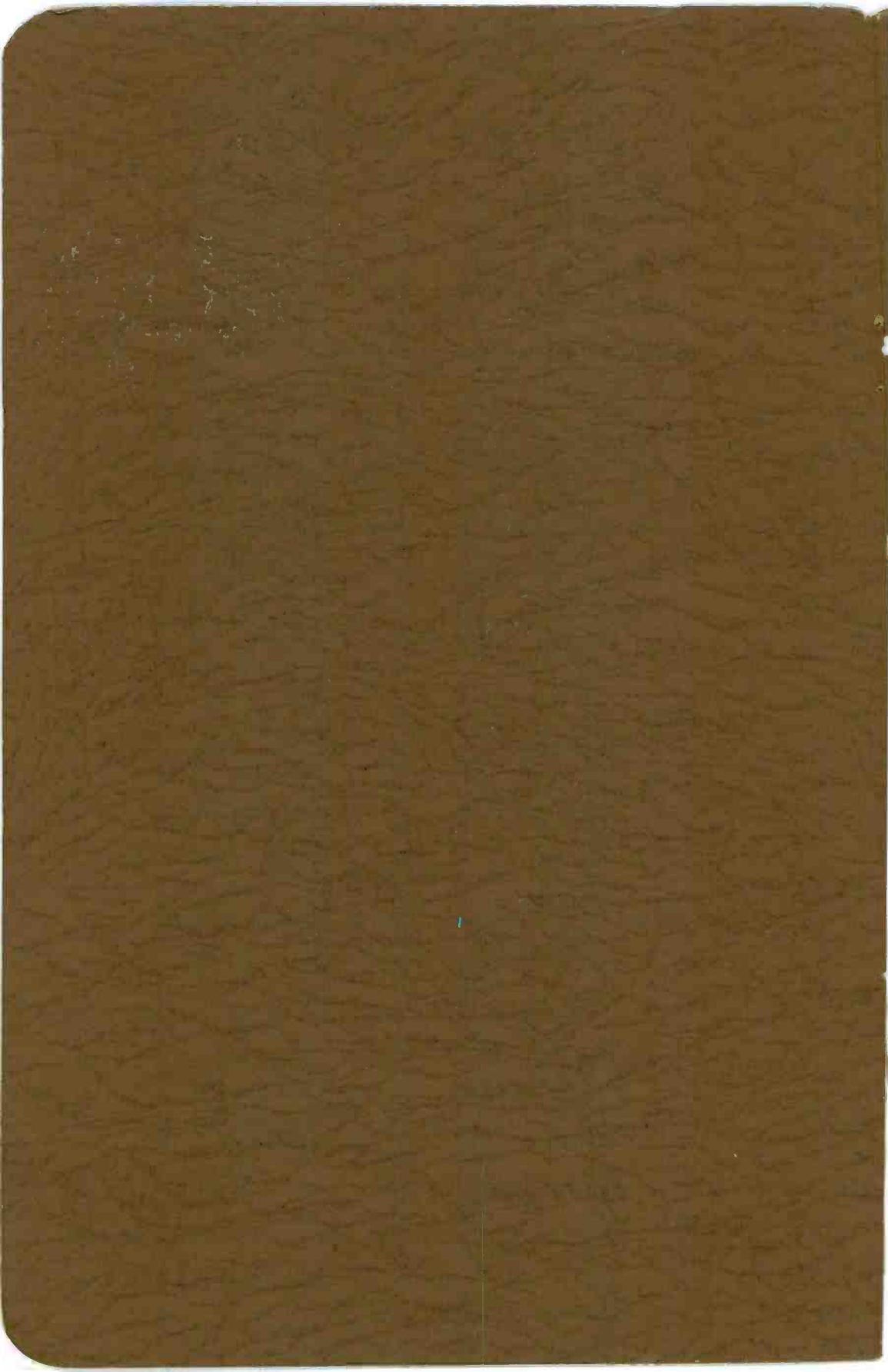


ALLIED'S ELECTRONICS DATA HANDBOOK



**ALLIED RADIO CORPORATION
CHICAGO**



ALLIED'S ELECTRONICS DATA HANDBOOK

Formerly Allied's Radio Data Handbook

A Compilation of Formulas and Data Most Commonly Used in the Field of Radio and Electronics

*Written and Compiled by the
Publications Division*

ALLIED RADIO CORPORATION

*Under the Direction of
EUGENE CARRINGTON*

Edited by

NELSON M. COOKE,

Lieutenant Commander, United States Navy (Ret.)

Senior Member, Institute of Radio Engineers. Author, "Mathematics for Electricians and Radiomen".

SECOND EDITION
7th Printing, November, 1958

Published by

ALLIED RADIO CORPORATION

100 North Western Avenue
Chicago 80, Ill., U. S. A.

F O R E W O R D

Allied Radio Corporation has long recognized the need for a comprehensive and condensed handbook of formulas and data most commonly used in the field of radio and electronics. It was felt also that such a book should serve entirely as a convenient source of information and reference and that all attempts to teach or explain the basic principles involved should be left to classroom instruction and to the many already existing publications written for this distinct purpose.

The *Electronics Data Handbook*, therefore, consists of formulas, tables, charts and data. Every effort has been made to present this information clearly and to arrange it in a convenient manner for instant reference. All material was carefully selected and prepared by *Allied's* technical staff to serve the requirements of many specific groups in the radio and electronics field. It is hoped that our objectives have been successfully attained and that this *Handbook* will serve as: (1) A valuable adjunct to classroom study and laboratory work for the student and instructor; (2) A dependable source of information for the beginner, experimenter and set builder; (3) A reliable guide for the service engineer and maintenance man in his everyday work; (4) A time-saving and practical reference for the radio amateur, technician and engineer, both in the laboratory and in the field of operations.

The publishers are indebted to the McGraw-Hill Book Company, Inc., for their permission to use material selected from "*Mathematics for Electricians and Radiomen*" by Nelson M. Cooke. *Allied* also takes this opportunity to thank those manufacturers who so generously permitted our use of current data prepared by their engineering personnel. Special recognition and our sincere appreciation are extended to Commander Cooke for his helpful suggestions and generous contribution of his time and specialized knowledge in editing the material contained in this book.

ALLIED RADIO CORPORATION

TABLE OF CONTENTS

Fundamental Mathematical Data	4-5
Mathematical Constants	4
Mathematical Symbols	4
Decimal Parts of an Inch	4
Fundamental Algebraic Formulas	5
Decibel Tables, Attenuators and Matching Pads	5-10
Decibels, Fundamental Formulas	5
DB Expressed in Watts and Volts	5
Decibel-Voltage, Current and Power Ratio Table	6
Table of Values for Attenuator Network Formulas	7-8
Attenuator Network Formulas	8-9
Minimum Loss Pads	10
Most Used Radio and Electronic Formulas	11-25
70-Volt Loud-Speaker Matching Formulas	11
Resistance	12
Capacitance	12
Inductance	12-13
Reactance	13
Resonance	13
Frequency and Wavelength	13
"Q" Factor	13
Impedance	14
Conductance	14-16
Susceptance	17
Admittance	17
Transient <i>I</i> and <i>E</i> in LCR Circuits	18-19
Steady State Current Flow	19
Transmission Line Formulas	20
Capacity of a Vertical Antenna	20
Vacuum Tube Formulas and Symbols	21
R.M.S., Peak and Average Volts and Current	21
D-C Meter Formulas	22-23
Ohm's Law for A-C and D-C Circuits	24-25
Engineering and Servicing Data	26-55
R-F Coil Winding Formulas	26
Wire Table	27
R-F Coil Winding Data Chart	28
Inductance, Capacitance, Reactance Charts	29-32
How to Use Logarithms	33-35
Trigonometric Relationships	36
Metric Relationships	37
Pilot Lamp Data	38
Directly Interchangeable Tubes	39-42
Directly Interchangeable T V Picture Tubes	43-44
Interchangeable Batteries	45-46
RETMA and Military Color Codes for Resistors and Capacitors	47-50
RETMA Color Codes for Chassis Wiring	51-53
Schematic Symbols used in Radio Diagrams	54
Abbreviations and Letter Symbols	55
Log and Trig Tables	56-63
Four-Place Common Log Tables	56-57
Table of Natural Sines, Cosines and Tangents	58-63
Index	64

Mathematical Symbols

\times or \cdot	Multiplied by
\div or $:$	Divided by
$+$	Positive. Plus. Add
$-$	Negative. Minus. Subtract
\pm	Positive or negative. Plus or minus
\mp	Negative or positive. Minus or plus
$=$ or $::$	Equals
\equiv	Identity
\approx	Is approximately equal to
\neq	Does not equal
$>$	Is greater than
\gg	Is much greater than
$<$	Is less than
\ll	Is much less than
\geq	Greater than or equal to
\leq	Less than or equal to
\therefore	Therefore
\angle	Angle
Δ	Increment or Decrement
\perp	Perpendicular to
\parallel	Parallel to
$ n $	Absolute value of n

Mathematical Constants

$\pi = 3.14$	$\sqrt{\pi} = 1.77$
$2\pi = 6.28$	$\sqrt{\frac{\pi}{2}} = 1.25$
$(2\pi)^2 = 39.5$	
$4\pi = 12.6$	$\sqrt{2} = 1.41$
$\pi^2 = 9.87$	$\sqrt{3} = 1.73$
$\frac{\pi}{2} = 1.57$	$\frac{1}{\sqrt{2}} = 0.707$
$\frac{1}{\pi} = 0.318$	$\frac{1}{\sqrt{3}} = 0.577$
$\frac{1}{2\pi} = 0.159$	$\log \pi = 0.497$
$\frac{1}{\pi^2} = 0.101$	$\log \frac{\pi}{2} = 0.196$
$\frac{1}{\sqrt{\pi}} = 0.564$	$\log \pi^2 = 0.994$
	$\log \sqrt{\pi} = 0.248$

Decimal Inches

Inches \times 2.540 = Centimeters
 Inches \times 1.578 $\times 10^{-5}$ = Miles
 Inches \times 10³ = Mils

Inches	Decimal Equivalent	Millimeter Equivalent
1/64	.0156	0.397
	.0313	0.794
3/64	.0469	1.191
	.0625	1.588
5/64	.0781	1.985
	.0938	2.381
7/64	.1094	2.778
	.1250	3.175
9/64	.1406	3.572
	.1563	3.969
11/64	.1719	4.366
	.1875	4.762
13/64	.2031	5.159
	.2188	5.556
15/64	.2344	5.953
	.2500	6.350
17/64	.2656	6.747
	.2813	7.144
19/64	.2969	7.541
	.3125	7.937
21/64	.3281	8.334
	.3438	8.731
23/64	.3594	9.128
	.3750	9.525
25/64	.3906	9.922
	.4063	10.319
27/64	.4219	10.716
	.4375	11.112
29/64	.4531	11.509
	.4688	11.906
31/64	.4844	12.303
	.5000	12.700
33/64	.5156	13.097
	.5313	13.494
35/64	.5469	13.891
	.5625	14.287
37/64	.5781	14.684
	.5938	15.081
39/64	.6094	15.478
	.6250	15.875
41/64	.6406	16.272
	.6563	16.669
43/64	.6719	17.067
	.6875	17.463
45/64	.7031	17.860
	.7188	18.238
47/64	.7344	18.635
	.7500	19.049
49/64	.7656	19.446
	.7813	19.842
51/64	.7969	20.239
	.8125	20.636
53/64	.8281	21.033
	.8438	21.430
55/64	.8594	21.827
	.8750	22.224
57/64	.8906	22.621
	.9063	23.018
59/64	.9219	23.415
	.9375	23.812
61/64	.9531	24.209
	.9688	24.606
63/64	.9844	25.004
	1.0000	25.400

Algebra

Exponents and Radicals

$$a^x \times a^y = a^{(x+y)}$$

$$\frac{a^x}{a^y} = a^{(x-y)}$$

$$(ab)^x = a^x b^x$$

$$\left(\frac{a}{b}\right)^x = \frac{a^x}{b^x}$$

$$\sqrt[x]{\frac{a}{b}} = \frac{\sqrt[x]{a}}{\sqrt[x]{b}}$$

$$a^{-x} = \frac{1}{a^x}$$

$$(a^x)^y = a^{xy}$$

$$\sqrt[x]{\sqrt[y]{a}} = \sqrt[xy]{a}$$

$$\sqrt[x]{ab} = \sqrt[x]{a} \sqrt[x]{b}$$

$$a^{\frac{x}{y}} = \sqrt[y]{a^x}$$

$$a^{\frac{1}{x}} = \sqrt[x]{a}$$

$$a^0 = 1$$

Solution of a Quadratic

Quadratic equations in the form

$$ax^2 + bx + c = 0$$

may be solved by the following:

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

Transposition of Terms

$$\text{If } A = \frac{B}{C}, \text{ then } B = AC, \quad C = \frac{B}{A}$$

$$\text{If } \frac{A}{B} = \frac{C}{D}, \text{ then } A = \frac{BC}{D}$$

$$B = \frac{AD}{C}, \quad C = \frac{AD}{B}, \quad D = \frac{BC}{A}$$

$$\text{If } A = \frac{1}{D\sqrt{BC}}, \text{ then } A^2 = \frac{1}{D^2 BC}$$

$$B = \frac{1}{D^2 A^2 C}, \quad C = \frac{1}{D^2 A^2 B}, \quad D = \frac{1}{A \sqrt{BC}}$$

$$\text{If } A = \sqrt{B^2 + C^2}, \text{ then } A^2 = B^2 + C^2$$

$$B = \sqrt{A^2 - C^2}, \quad C = \sqrt{A^2 - B^2}$$

Decibels

The number of db by which two power outputs P_1 and P_2 (in watts) may differ, is expressed by

$$10 \log \frac{P_1}{P_2};$$

or in terms of volts,

$$20 \log \frac{E_1}{E_2};$$

or in current,

$$20 \log \frac{I_1}{I_2}.$$

While power ratios are independent of source and load impedance values, voltage and current ratios in these formulas hold true only when the source and load impedances Z_1 and Z_2 are equal. In circuits where these impedances differ, voltage and current ratios are expressed by,

$$db = 20 \log \frac{E_1 \sqrt{Z_2}}{E_2 \sqrt{Z_1}} \quad \text{or,} \quad 20 \log \frac{I_1 \sqrt{Z_1}}{I_2 \sqrt{Z_2}}$$

DB Expressed in Watts & Volts

DB *	Above Zero Level		Below Zero Level	
	Watts	Volts	Watts	Volts
0	0.00600	1.73	6.00×10^{-3}	1.73
1	0.00755	1.94	4.77×10^{-3}	1.54
2	0.00951	2.18	3.78×10^{-3}	1.38
3	0.0120	2.45	3.01×10^{-3}	1.23
4	0.0151	2.74	2.39×10^{-3}	1.09
5	0.0190	3.08	1.90×10^{-3}	0.94
6	0.0239	3.46	1.51×10^{-3}	0.868
7	0.0301	3.88	1.20×10^{-3}	0.774
8	0.0378	4.35	9.51×10^{-4}	0.690
9	0.0477	4.88	7.55×10^{-4}	0.614
10	0.0600	5.48	6.00×10^{-4}	0.548
11	0.0755	6.14	4.77×10^{-4}	0.488
12	0.0951	6.90	3.78×10^{-4}	0.435
13	0.120	7.74	3.01×10^{-4}	0.388
14	0.151	8.68	2.39×10^{-4}	0.346
15	0.190	9.74	1.90×10^{-4}	0.306
16	0.239	10.93	1.51×10^{-4}	0.275
17	0.301	12.26	1.20×10^{-4}	0.245
18	0.378	13.76	9.51×10^{-5}	0.218
19	0.477	15.44	7.55×10^{-5}	0.194
20	0.600	17.32	6.00×10^{-5}	0.173
25	1.90	30.8	1.90×10^{-9}	0.0974
30	6.00	54.8	6.00×10^{-8}	0.0548
35	19.0	97.4	1.90×10^{-7}	0.0308
40	60.0	173	6.00×10^{-7}	0.0173
45	190.	308	1.90×10^{-7}	0.00974
50	600.	548	6.00×10^{-8}	0.00548
60	6,000.	1,730	6.00×10^{-9}	0.00173
70	60,000.	5,480	6.00×10^{-10}	0.000548
80	600,000.	17,300	6.00×10^{-11}	0.000173

*Zero db = 6 milliwatts into a 500 ohm load.
Power ratios hold for any impedance, but voltages must be referred to an impedance load of 500 ohms.

Table of Values for Attenuator Network Formulas

db	Voltage or Current Ratio	B	C	D	E	db	dB	C	B	Voltage or Current Ratio	E
.1	.8885	.011447	86.360	.005756	86.857	27.0	.046688	.95533	.9448	.089515	
.2	.9774	.022623	42.931	.011512	43.426	27.5	.042170	.95783	.94026	.904490	
.25	.97163	.028372	34.247	.014390	34.739	28.0	.038111	.96019	.94161	.92343	
.3	.96605	.034046	28.456	.017268	28.947	30.0	.031623	.96338	.93755	.979748	
.4	.95499	.045008	21.219	.053939	21.707	32.0	.025119	.97488	.93639	.063309	
.5	.94406	.066745	16.876	.028774	17.362	33.5	.023714	.975766	.95099	.050269	
.6	.93325	.072557	13.982	.034525	14.428	33.0	.022937	.97629	.94290	.047454	
.7	.92257	.077429	11.915	.040724	12.395	34.0	.019553	.97761	.023590	.95621	
.75	.91728	.082724	11.088	.043147	11.567	35.0	.017783	.98222	.018105	.96088	
.8	.91201	.087989	10.365	.046019	10.842	36.0	.015849	.98415	.016104	.96506	
.9	.90157	.098429	9.156	.051762	9.6337	37.5	.013335	.98666	.013515	.96880	
1.0	.89125	.10875	8.1956	.057501	8.6667	38.0	.012589	.98741	.012750	.97368	
1.5	.84140	.15660	5.3050	.086133	5.7619	39.0	.011200	.98878	.011348	.97513	
2.0	.79433	.20567	3.8621	.114642	4.3048	40.0	.010000	.99000	.010101	.98200	
2.5	.74989	.25061	2.9983	.142933	3.4268	42.0	.007433	.99206	.008069	.98242	
3.0	.70795	.29205	2.4240	.17100	2.8385	42.5	.0074989	.99250	.007556	.98151	
3.5	.66834	.33166	2.0152	.19879	2.4158	44.0	.0063096	.99339	.0063496	.98146	
4.0	.63096	.36904	1.7097	.22627	2.0966	45.0	.0056234	.99438	.0056552	.98120	
4.5	.59566	.40434	1.4732	.25540	1.8465	47.5	.0042170	.99578	.0042348	.9781	
5.0	.56234	.43766	1.2849	.28013	1.6448	48.0	.0038111	.99662	.0039970	.99160	
6.0	.50119	.49881	1.0048	.33228	1.3386	50.0	.0031623	.99684	.0031723	.99037	
7.0	.44668	.55332	.80728	.38247	1.1160	51.0	.0028184	.99718	.0029264	.99370	
7.5	.42170	.57830	.60189	.40677	1.0258	52.0	.0025119	.99749	.0025182	.99438	
8.0	.39811	.66143	.43051	.49617	9.4617	54.0	.0019533	.99800	.0019993	.99499	
9.0	.35481	.64519	.50994	.61183	55.0	.0017783	.99822	.0017815	.99645		
10.0	.31623	.68217	.46248	.51949	70.733	56.0	.0015874	.99842	.0015874	.99684	
11.0	.28184	.71816	.39244	.61231	56.1	.0014125	.99859	.0014145	.99718		
12.0	.25119	.74881	.33545	.53621	60.0	.0010000	.99900	.0010100	.99800		
12.5	.23714	.76286	.31085	.61664	50.253	.00066096	.99937	.000663136	.99874		
13.0	.22387	.77613	.28845	.63416	47.137	64.0	.0005234	.99944	.00056266	.99880	
14.0	.19953	.80047	.24936	.66732	4.1560	65.0	.0005160	.99950	.00051619	.99950	
15.0	.17783	.82217	.21629	.68004	.36727	66.0	.00053811	.99955	.0005444	.99900	
16.0	.15849	.84151	.18834	.72639	.32515	68.0	.00031623	.99960	.00039827	.99950	
17.0	.14125	.85875	.16449	.75246	.28825	70.0	.000311623	.99968	.00031633	.99937	
17.5	.13335	.86665	.15387	.76468	.27153	72.0	.00025119	.99975	.00025125	.00025125	
18.0	.12889	.87411	.14402	.77637	.25584	75.0	.00017783	.99982	.00017786	.99984	
19.0	.11220	.88780	.12638	.79823	.22726	78.0	.00015849	.99984	.00018351	.99968	
20.0	.10000	.90000	.11111	.81818	.20202	80.0	.00015259	.99987	.00012591	.99975	
21.0	.8885	.90800	.91087	.83634	.17988	84.0	.00010000	.99990	.00010000	.99980	
22.0	.859125	.907433	.92057	.86287	.85282	85.0	.0005323	.99994	.00063130	.99987	
22.5	.82478	.92501	.88169	.86048	.86083	86.0	.0005624	.99997	.0006624	.99989	
24.0	.630896	.93690	.607345	.88130	.12670	90.0	.00003162	.99998	.00003162	.99994	
25.0	.56234	.94377	.59585	.89352	.11283	96.0	.00001778	.99998	.00001778	.99996	
26.0	.50119	.94988	.52763	.90552	.10049	100.0	.00001000	.99999	.00001000	.99999	

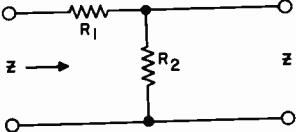
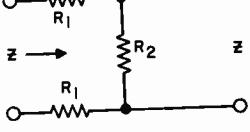
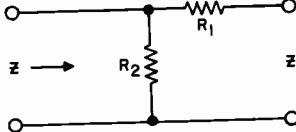
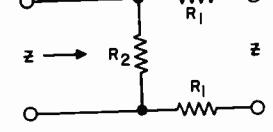
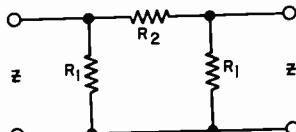
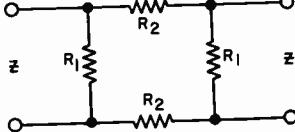
Attenuator Networks

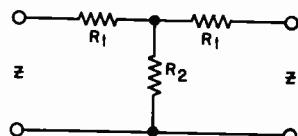
For Insertion Between Equal Impedances

For data covering networks between unequal impedances, see Minimum Loss Pads on page 10. See also Decibel-Voltage Current and Power Ratio Table on page 6.

See table on page 7 for values of A, B, C, D, E used in the following attenuator network formulas.

In the case of L and U networks where only the input or output can be matched, as required, the matched side is indicated by an arrow pointing toward the pad. On all other networks, both the input and output circuits are matched.

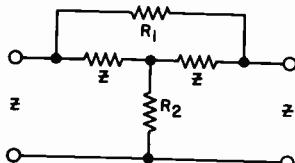
 $R_1 = ZB$ $R_2 = ZC$	 $R_1 = \frac{ZB}{2}$ $R_2 = ZC$
 $R_1 = \frac{Z}{C}$ $R_2 = \frac{Z}{B}$	 $R_1 = \frac{Z}{2C}$ $R_2 = \frac{Z}{B}$
 $R_1 = \frac{Z}{D}$ $R_2 = \frac{Z}{E}$	 $R_1 = \frac{Z}{D}$ $R_2 = \frac{Z}{2E}$



T

$$R_1 = ZD$$

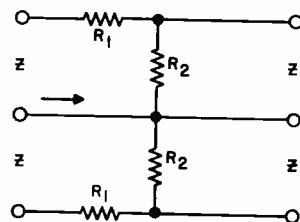
$$R_2 = ZE$$



Bridged T

$$R_1 = \frac{Z}{C}$$

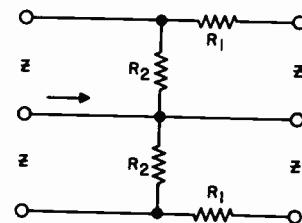
$$R_2 = ZC$$



Balanced U

$$R_1 = \frac{ZB}{2}$$

$$R_2 = \frac{ZC}{2}$$



Balanced U

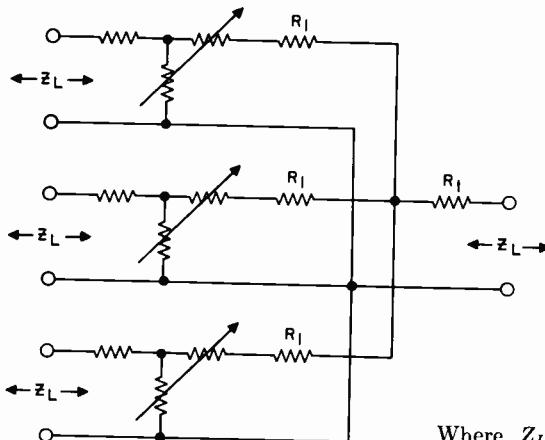
$$R_1 = \frac{Z}{2C}$$

$$R_2 = \frac{Z}{2B}$$

Constant Impedance Attenuators in Parallel

 Table of R_1 Values in Ohms

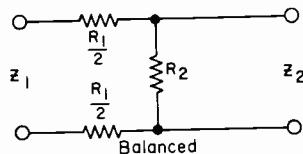
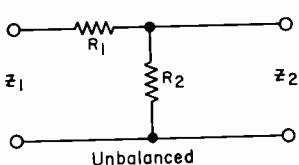
Z	Number of Channels.				
	2	3	4	5	6
30	10	15	18	20	21.5
50	16.6	25	30	33.3	35.7
150	50	75	90	100	107
200	66.6	100	120	133	143
250	83.3	125	150	166	179
500	166	250	300	333	357
600	200	300	360	400	428
Network db Loss	6	9.5	12	14	15.5



$$R_1 = Z_L \left(\frac{N-1}{N+1} \right) \quad \begin{array}{l} \text{Insertion loss} \\ \text{in db} = 20 \log_{10} N \end{array}$$

Where Z_L = identical line and load impedances;
and N = number of channels in parallel.

Minimum Loss Pads



For Matching Two Impedances where $Z_1 > Z_2$

$$R_1 = \sqrt{Z_1 (Z_1 - Z_2)}$$

$$R_2 = \frac{Z_1 Z_2}{R_1}$$

$$db \text{ loss} = 20 \log_{10} \left(\sqrt{\frac{Z_1}{Z_2}} + \sqrt{\frac{Z_1}{Z_2} - 1} \right)$$

Where Only One Impedance is to be Matched

If the larger impedance only is to be

matched, use a resistor R_L in series with the smaller impedance such that

$$R_L = Z_1 - Z_2$$

$$db \text{ loss} = 20 \log_{10} \sqrt{\frac{Z_1}{Z_2}}$$

If the smaller impedance only is to be matched, use a resistor R_S in shunt across the larger impedance such that

$$R_S = \frac{Z_1 Z_2}{Z_1 - Z_2}$$

$$\text{Here also } db \text{ loss} = 20 \log_{10} \sqrt{\frac{Z_1}{Z_2}}$$

Tables of R_1 and R_2 Values

When Z_1 is 500 ohms
and Z_2 is less than 500 ohms.

Z_2	400	300	250	200	160	125	100	80	65	50	40	30	25
R_1	224	316	354	387	412	433	447	458	466	474	480	485	487
R_2	894	474	354	258	194	144	112	87.3	69.7	52.7	41.7	30.9	25.6
db loss	4	6.5	7.5	9	10	11.5	12.5	13.5	14.5	16	17	18	19

When Z_2 is less than 25 ohms,

$$\text{let } R_1 = 500 - \frac{Z_1}{Z_2}$$

$$\text{and } R_2 = Z_2$$

Where Z_2 is 500 ohms,
and Z_1 is greater than 500 ohms.

Z_1	600	800	1,000	1,200	1,500	2,000	2,500	3,000	4,000	5,000	6,000	8,000	10,000
R_1	245	490	707	917	1,225	1,732	2,236	2,739	3,742	4,743	5,745	7,746	9,747
R_2	1,225	817	707	655	612	577	559	548	534	527	522	516	513
db Loss	3.5	6	7.5	9	10	11.5	12.5	13.5	15	16	17	18	19

When Z_1 is greater than 10,000 ohms,

$$\text{let } R_1 = Z_1 - 250$$

$$\text{and } R_2 = 500$$

70-Volt Loud-Speaker Matching Systems

The RETMA 70.7 volt constant voltage system of power distribution provides the engineer and technician with a simple means of matching a number of loudspeakers to an amplifier. To use this method:

1. Determine the power required at each loudspeaker.
2. Add the powers required for the individual speakers and select an amplifier with a rated power output equal to or greater than this total.
3. Select 70.7-volt transformers having primary wattage taps as determined in step 1.*
4. Wire the selected primaries in parallel across the 70.7-volt line.
5. Connect each secondary to its speaker; selecting the tap which matches the voice coil impedance.

For transformers rated in impedance, the following formulas may be used to determine the proper taps in step 3.

$$\text{Primary Impedance} = \frac{(\text{Amplifier output voltage})^2}{\text{Desired speaker power}}$$

or $Z = \frac{E^2}{P}$ (1)

*These transformers have the primary taps marked in watts and the secondaries marked in ohms.

Since the voltage at rated amplifier power is 70.7, this reduces to:

$$Z = \frac{70.7^2}{P} = \frac{5000}{P} \quad (2)$$

From formula (2) these relationships are:

1 watt	requires 5000 ohm primary
2 watts	requires 2500 ohm primary
5 watts	requires 1000 ohm primary
10 watts	requires 500 ohm primary

Once the primary taps have been determined, continue on through step 4 and 5 as outlined above. When selecting transformer primary taps, use the next highest available value above the computed value. A mismatch of 25% is generally considered permissible.

Example: Required

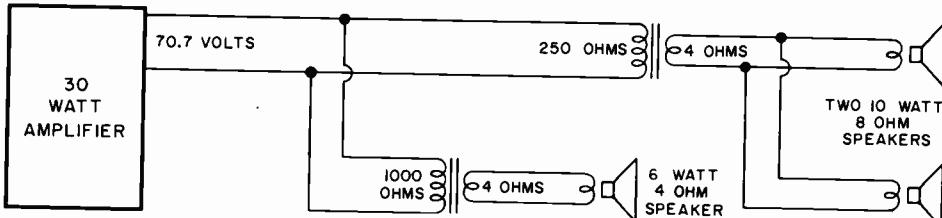
One 6 watt speaker with 4 ohm voice coil.
Two 10 watt speakers with 8 ohm voice coils (use one transformer at this location).

(1-2) Total power = $6 + 10 + 10 = 26$ watts (use a 30-watt amplifier or other amplifier capable of handling at least 26 watts)

$$(3) Z_{6 \text{ watts}} = \frac{5000}{6} = 833 \text{ ohms (use 1000 ohm transformer)}$$

$$Z_{20 \text{ watts}} = \frac{5000}{20} = 250 \text{ ohms}$$

(4-5) See sketch below.



Most Used Formulas

Resistance Formulas

In series $R_t = R_1 + R_2 + R_3 \dots$ etc.

In parallel $R_t = \frac{1}{\frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3}} \dots$ etc.

Two resistors in parallel $R_t = \frac{R_1 R_2}{R_1 + R_2}$

Capacitance

In parallel $C_t = C_1 + C_2 + C_3 \dots$ etc.

In series $C_t = \frac{1}{\frac{1}{C_1} + \frac{1}{C_2} + \frac{1}{C_3}} \dots$ etc.

Two capacitors in series $C_t = \frac{C_1 C_2}{C_1 + C_2}$

The Quantity of Electricity Stored Within a Capacitor is Given by

$$Q = CE$$

where Q = the quantity stored, in coulombs,

E = the potential impressed across the condenser, in volts,

C = capacitance in farads.

The Capacitance of a Parallel Plate Capacitor is Given by

$$C = 0.0885 \frac{KS(N-1)}{d}$$

where C = capacitance in mmfd.,

K = dielectric constant,

* S = area of one plate in square centimeters,

N = number of plates,

* d = thickness of the dielectric in centimeters (same as the distance between plates).

* When S and d are given in inches, change constant 0.0885 to 0.224. Answer will still be in micromicrofarads.

DIELECTRIC CONSTANTS	
Kind of Dielectric	Approximate* K Value
Air (at atmospheric pressure)	1.0
Bakelite	5.0
Beeswax	3.0
Cambric (varnished)	4.0
Fibre (Red)	5.0
Glass (window or flint)	8.0
Gutta Percha	4.0
Mica	6.0
Paraffin (solid)	2.5
Paraffin Coated Paper	3.5
Porcelain	6.0
Pyrex	4.5
Quartz	5.0
Rubber	3.0
Slate	7.0
Wood (very dry)	5.0

* These values are approximate, since true values depend upon quality or grade of material used, as well as moisture content, temperature and frequency characteristics of each.

Self-Inductance

In series $L_t = L_1 + L_2 + L_3 \dots$ etc.

In parallel $L_t = \frac{1}{\frac{1}{L_1} + \frac{1}{L_2} + \frac{1}{L_3}} \dots$ etc.

Two inductors in parallel $L_t = \frac{L_1 L_2}{L_1 + L_2}$

Coupled Inductance

In series with fields aiding

$$L_t = L_1 + L_2 + 2M$$

In series with fields opposing

$$L_t = L_1 + L_2 - 2M$$

In parallel with fields aiding

$$L_t = \frac{1}{\frac{1}{L_1 + M} + \frac{1}{L_2 + M}}$$

In parallel with fields opposing

$$L_t = \frac{1}{\frac{1}{L_1 - M} + \frac{1}{L_2 - M}}$$

where L_t = the total inductance,
 M = the mutual inductance,
 L_1 and L_2 = the self inductance of the individual coils.

Mutual Inductance

The mutual inductance of two r-f coils with fields interacting, is given by

$$M = \frac{L_A - L_o}{4}$$

where M = mutual inductance, expressed in same units as L_A and L_o ,
 L_A = Total inductance of coils L_1 and L_2 with fields aiding,
 L_o = Total inductance of coils L_1 and L_2 with fields opposing.

Coupling Coefficient

When two r-f coils are inductively coupled so as to give transformer action, the coupling coefficient is expressed by

$$K = \frac{M}{\sqrt{L_1 L_2}}$$

where K = the coupling coefficient;
 $(K \times 10^2$ = coupling coefficient in %),

M = the mutual inductance value,
 L_1 and L_2 = the self-inductance of the two coils respectively, both being expressed in the same units.

Resonance

The resonant frequency, or frequency at which inductive reactance X_L equals capacitive reactance X_C , is expressed by

$$f_r = \frac{1}{2\pi \sqrt{LC}}$$

also $L = \frac{1}{4\pi^2 f_r^2 C}$

and $C = \frac{1}{4\pi^2 f_r^2 L}$

where f_r = resonant frequency in cycles per second,
 L = inductance in henrys,
 C = capacitance in farads,
 $2\pi = 6.28$
 $4\pi^2 = 39.5$

Reactance

of an inductance is expressed by

$$X_L = 2\pi f L$$

of a capacitance is expressed by

$$X_C = \frac{1}{2\pi f C}$$

where X_L = inductive reactance in ohms, (known as positive reactance),
 X_C = capacitive reactance in ohms, (known as negative reactance),
 f = frequency in cycles per second,
 L = inductance in henrys,
 C = capacitance in farads,
 $2\pi = 6.28$

Frequency from Wavelength

$$f = \frac{3 \times 10^5}{\lambda} \text{ (kilocycles)}$$

where λ = wavelength in meters.

$$f = \frac{3 \times 10^4}{\lambda} \text{ (megacycles)}$$

where λ = wavelength in centimeters.

Wavelength from Frequency

$$\lambda = \frac{3 \times 10^5}{f} \text{ (meters)}$$

where f = frequency in kilocycles.

$$\lambda = \frac{3 \times 10^4}{f} \text{ (centimeters)}$$

where f = frequency in megacycles.

Q or Figure of Merit

of a simple reactor

$$Q = \frac{X_L}{R_L}$$

of a single capacitor

$$Q = \frac{X_C}{R_C}$$

where Q = a ratio expressing the figure of merit,

X_L = inductive reactance in ohms,

X_C = capacitive reactance in ohms,

R_L = resistance in ohms acting in series with inductance,

R_C = resistance in ohms acting in series with capacitance,

Impedance

In any a-c circuit where resistance and reactance values of the R , L and C components are given, the absolute or numerical magnitude of impedance and phase angle can be computed from the formulas which follow.

In general the basic formulas expressing total impedance are:

for series circuits,

$$Z_t = \sqrt{R_t^2 + X_t^2},$$

for parallel circuits,

$$Z_t = \frac{1}{\sqrt{G_t^2 + B_t^2}}.$$

See page 17 for formulas involving impedance, conductance, susceptance and admittance.

In series circuits where phase angle and any two of the Z , R and X components are known, the unknown component may be determined from the expressions:

$$Z = \frac{R}{\cos \theta} \quad Z = \frac{X}{\sin \theta}$$

$$R = Z \cos \theta \quad X = Z \sin \theta$$

where Z = magnitude of impedance in ohms,

R = resistance in ohms,

X = reactance (inductive or capacitive) in ohms.

Nomenclature

Z = absolute or numerical value of impedance magnitude in ohms

R = resistance in ohms,

X_L = inductive reactance in ohms,

X_C = capacitive reactance in ohms,

L = inductance in henrys,

C = capacitance in farads,

R_L = resistance in ohms acting in series with inductance,

R_C = resistance in ohms acting in series with capacitance,

θ = phase angle in degrees by which current leads voltage in a capacitive circuit, or lags voltage in an inductive circuit. In a resonant circuit, where X_L equals X_C , θ equals 0° .

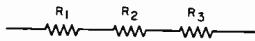
Degrees $\times 0.0175$ = radians.
1 radian = 57.3° .

Numerical Magnitude of Impedance . . .

of resistance alone

$$Z = R$$

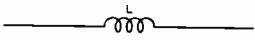
$$\theta = 0^\circ$$



of resistance in series

$$Z = R_1 + R_2 + R_3 \dots \text{etc.}$$

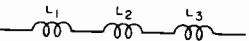
$$\theta = 0^\circ$$



of inductance alone

$$Z = X_L$$

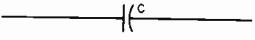
$$\theta = +90^\circ$$



of capacitance alone

$$Z = X_C$$

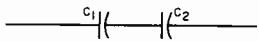
$$\theta = -90^\circ$$



of capacitance in series

$$Z = X_{C_1} + X_{C_2} + X_{C_3} \dots \text{etc.}$$

$$\theta = -90^\circ$$



or where only 2 capacitances C_1 and C_2 are involved,

$$Z = \frac{1}{2\pi f} \left(\frac{C_1 + C_2}{C_1 C_2} \right)$$

$$\theta = -90^\circ$$



of resistance and inductance in series

$$Z = \sqrt{R^2 + X_L^2}$$

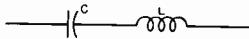
$$\theta = \text{arc tan} \frac{X_L}{R}$$



of resistance and capacitance in series

$$Z = \sqrt{R^2 + X_C^2}$$

$$\theta = \text{arc tan} \frac{X_C}{R}$$



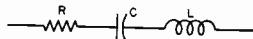
of inductance and capacitance in series

$$Z = X_L - X_C$$

$$\theta = -90^\circ \text{ when } X_L < X_C$$

$$= 0^\circ \text{ when } X_L = X_C$$

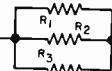
$$= +90^\circ \text{ when } X_L > X_C$$



of resistance, inductance and capacitance in series

$$Z = \sqrt{R^2 + (X_L - X_C)^2}$$

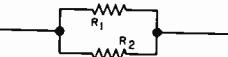
$$\theta = \text{arc tan} \frac{X_L - X_C}{R}$$



of resistance in parallel

$$Z = \frac{1}{\frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} \dots \text{etc.}}$$

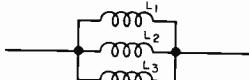
$$\theta = 0^\circ$$



or where only 2 resistances R_1 and R_2 are involved,

$$Z = \frac{R_1 R_2}{R_1 + R_2}$$

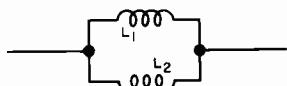
$$\theta = 0^\circ$$



of inductance in parallel

$$Z = \frac{1}{\frac{1}{X_{L_1}} + \frac{1}{X_{L_2}} + \frac{1}{X_{L_3}} \dots \text{etc.}}$$

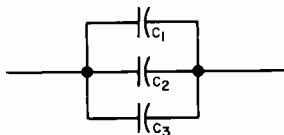
$$\theta = +90^\circ$$



or where only 2 inductances L_1 and L_2 are involved,

$$Z = 2\pi f \left(\frac{L_1 L_2}{L_1 + L_2} \right)$$

$$\theta = +90^\circ$$



of capacitance in parallel

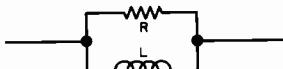
$$Z = \frac{1}{\frac{1}{X_{C_1}} + \frac{1}{X_{C_2}} + \frac{1}{X_{C_3}} \dots \text{etc.}}$$

$$\theta = -90^\circ$$

or where only 2 capacitances C_1 and C_2 are involved,

$$Z = \frac{1}{2\pi f (C_1 + C_2)}$$

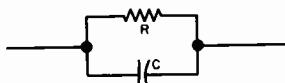
$$\theta = -90^\circ$$



of inductance and resistance in parallel,

$$Z = \frac{RX_L}{\sqrt{R^2 + X_L^2}}$$

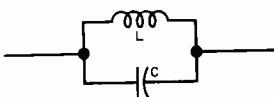
$$\theta = \text{arc tan } \frac{R}{X_L}$$



of capacitance and resistance in parallel,

$$Z = \frac{RX_C}{\sqrt{R^2 + X_C^2}}$$

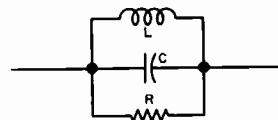
$$\theta = -\text{arc tan } \frac{R}{X_C}$$



of inductance and capacitance in parallel,

$$Z = \frac{X_L X_C}{X_L - X_C}$$

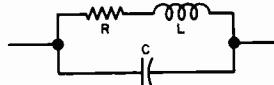
$$\theta = 0^\circ \text{ when } X_L = X_C$$



of inductance, resistance and capacitance in parallel

$$Z = \frac{RX_L X_C}{\sqrt{X_L^2 X_C^2 + (RX_L - RX_C)^2}}$$

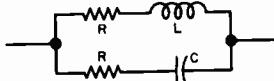
$$\theta = \text{arc tan } \frac{RX_C - RX_L}{X_L X_C}$$



of inductance and series resistance in parallel with capacitance

$$Z = X_C \sqrt{\frac{R^2 + X_L^2}{R^2 + (X_L - X_C)^2}}$$

$$\theta = \text{arc tan } \left(\frac{X_L X_C - X_L^2 - R^2}{RX_C} \right)$$



of capacitance and series resistance in parallel with inductance and series resistance

$$Z = \sqrt{\frac{(R_L^2 + X_L^2)(R_C^2 + X_C^2)}{(R_L + R_C)^2 + (X_L - X_C)^2}}$$

$$\theta = \text{arc tan } \frac{X_L(R_C^2 + X_C^2) - X_C(R_L^2 + X_L^2)}{R_L(R_C^2 + X_C^2) + R_C(R_L^2 + X_L^2)}$$

Conductance

In direct current circuits, conductance is expressed by

$$G = \frac{1}{R}$$

where G = conductance in mhos,

R = resistance in ohms.

In d-c circuits involving resistances R_1 , R_2 , R_3 , etc., in parallel,

the total conductance is expressed by

$$G_{\text{total}} = G_1 + G_2 + G_3 \dots \text{etc.}$$

and the total current by

$$I_{\text{total}} = E G_{\text{total}}$$

and the amount of current in any single resistor, R_2 for example, in a parallel group, by

$$I_2 = \frac{I_{\text{total}} G_2}{G_1 + G_2 + G_3 \dots \text{etc.}},$$

R , E and I in Ohm's law formulas for d-c circuits may be expressed in terms of conductance as follows:

$$R = \frac{1}{G}, \quad E = \frac{I}{G}, \quad I = EG,$$

where G = conductance in mhos,

R = resistance in ohms,

E = potential in volts,

I = current in amperes.

Susceptance

In an alternating current circuit, the susceptance of a series circuit is expressed by

$$B = \frac{X}{R^2 + X^2}$$

or, when the resistance is 0, susceptance becomes the reciprocal of reactance, or

$$B = \frac{1}{X}$$

where B = susceptance in mhos,

R = resistance in ohms,

X = reactance in ohms.

Admittance

In an alternating current circuit, the admittance of a series circuit is expressed by

$$Y = \frac{1}{\sqrt{R^2 + X^2}}$$

Admittance is also expressed as the reciprocal of impedance, or

$$Y = \frac{1}{Z}$$

where Y = admittance in mhos,

R = resistance in ohms,

X = reactance in ohms,

Z = impedance in ohms.

R and X in Terms of G and B

Resistance and reactance may be expressed in terms of conductance and susceptance as follows:

$$R = \frac{G}{G^2 + B^2}, \quad X = \frac{B}{G^2 + B^2}.$$

G, B, Y and Z in Parallel Circuits

In any given a-c circuit containing a number of smaller parallel circuits only,

the effective conductance G_t is expressed by

$$G_t = G_1 + G_2 + G_3 \dots \text{etc.},$$

and the effective susceptance B_t by

$$B_t = B_1 + B_2 + B_3 \dots \text{etc.}$$

and the effective admittance Y_t by

$$Y_t = \sqrt{G_t^2 + B_t^2}$$

and the effective impedance Z_t by

$$Z_t = \frac{1}{\sqrt{G_t^2 + B_t^2}} \text{ or } \frac{1}{Y_t}$$

where R = resistance in ohms,

X = reactance (capacitive or inductive) in ohms,

G = conductance in mhos,

B = susceptance in mhos,

Y = admittance in mhos,

Z = impedance in ohms.

Transient I and E in LCR Circuits

The formulas which follow may be used to closely approximate the growth and decay of current and voltage in circuits involving L , C and R :

where i = instantaneous current in amperes at any given time (t),

E = potential in volts as designated,

R = circuit resistance in ohms,

C = capacitance in farads,

L = inductance in henrys,

V = steady state potential in volts,

V_C = reactive volts across C ,

V_L = reactive volts across L ,

V_R = voltage across R

RC = time constant of RC circuit in seconds,

$\frac{L}{R}$ = time constant of RL circuit in seconds,

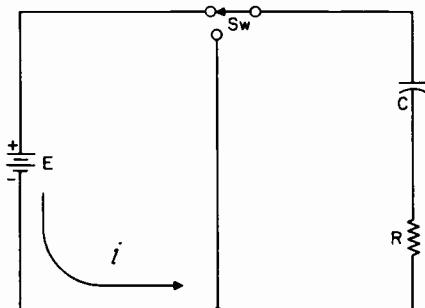
t = any given time in seconds after switch is thrown,

e = a constant, 2.718 (base of the natural system of logarithms),

Sw = switch

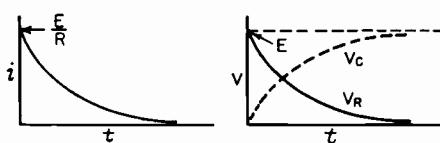
The time constant is defined as the time in seconds for current or voltage to fall to $\frac{1}{e}$ or 36.8% of its initial value or to rise to $(1 - \frac{1}{e})$ or approximately 63.2% of its final value.

Charging a De-energized Capacitive Circuit



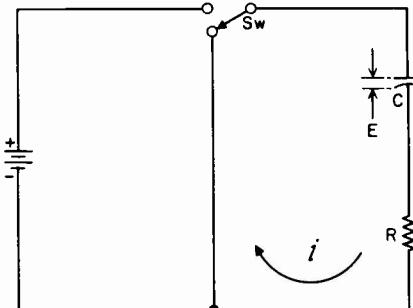
E = applied potential.

$$i = \frac{E}{R} e^{-\frac{t}{RC}}$$



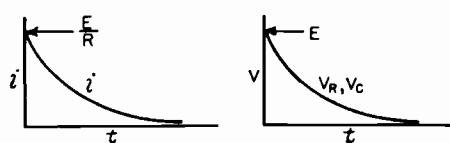
$$V_C = E \left(1 - e^{-\frac{t}{RC}} \right) \quad V_R = E e^{-\frac{t}{RC}}$$

Discharging an Energized Capacitive Circuit

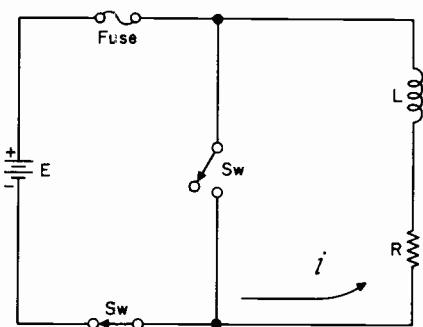


E = potential to which C is charged prior to closing Sw .

$$i = \frac{E}{R} e^{-\frac{t}{RC}}$$

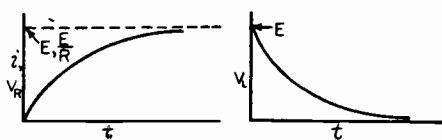


$$V_C = V_R = E e^{-\frac{t}{RC}}$$

Voltage is Applied to a De-energized Inductive Circuit


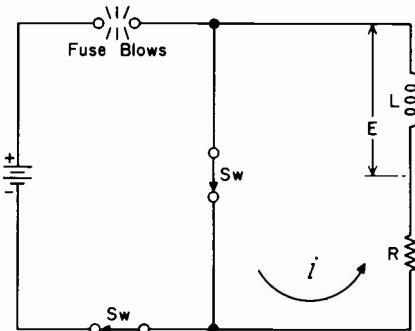
E = applied potential

$$i = \frac{E}{R} \left(1 - e^{-\frac{Rt}{L}} \right)$$



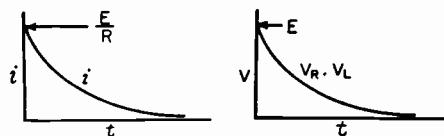
$$V_R = E \left(1 - e^{-\frac{Rt}{L}} \right)$$

$$V_L = E e^{-\frac{Rt}{L}}$$

An Energized Inductive Circuit is Short Circuited


E = counter potential induced in coil when switch is closed.

$$i = \frac{E}{R} e^{-\frac{Rt}{L}}$$



$$V_L = V_R = E e^{-\frac{Rt}{L}}$$

Steady State Current Flow

In a Capacitive Circuit

In a capacitive circuit, where resistance loss components may be considered as negligible, the flow of current at a given alternating potential of constant frequency, is expressed by

$$I = \frac{E}{X_C} = \frac{E}{\left(\frac{1}{2\pi f C} \right)} = E (2\pi f C)$$

where I = current in amperes,

X_C = capacitive reactance of the circuit in ohms,

E = applied potential in volts.

In an Inductive Circuit

In an inductive circuit, where inherent resistance and capacitance components may be so low as to be negligible, the flow of current at a given alternating potential of a constant frequency, is expressed by

$$I = \frac{E}{X_L} = \frac{E}{2\pi f L}$$

where I = current in amperes,

X_L = inductive reactance of the circuit in ohms,

E = applied potential in volts.

Transmission Line Formulas

Concentric Transmission Lines

Characteristic impedance in ohms is given by

$$Z = 138 \log \frac{d_1}{d_2}$$

R-f resistance in ohms per foot of copper line, is given by

$$r = \sqrt{f} \left(\frac{1}{d_1} + \frac{1}{d_2} \right) \times 10^{-3}$$

Attenuation in decibels per foot of line, is given by

$$a = \frac{4.6\sqrt{f}(d_1 + d_2)}{d_1 d_2 \left(\log \frac{d_1}{d_2} \right)} \times 10^{-6}$$

where Z = characteristic impedance in ohms,

r = radio frequency resistance in ohms per foot of *copper line*,

a = attenuation in decibels per foot of *line*,

d_1 = the *inside diameter of the outer conductor*, expressed in inches,

d_2 = the *outside diameter of the inner conductor*, expressed in inches,

f = frequency in megacycles.

Two-Wire Open Air Transmission Lines

Characteristic impedance in ohms is given by

$$Z = 276 \left(\log \frac{2D}{d} \right)$$

Inductance in microhenrys per foot of *line* is given by

$$L = 0.281 \left(\log \frac{2D}{d} \right)$$

Capacitance in micromicrofarads per foot of *line* is given by

$$C = \frac{3.68}{\log \frac{2D}{d}}$$

Attenuation in decibels per foot of *wire* is given by

$$db = \frac{0.0157 R_f}{\log \frac{2D}{d}}$$

R-f resistance in Ohms per loop-foot of *wire*, is given by

$$R_f = \frac{2 \times 10^{-3} \sqrt{f}}{d}$$

where Z = characteristic impedance in ohms,

D = spacing between wire centers in inches,

d = the diameter of the conductors in inches,

L = inductance in microhenrys per foot of *line*,

C = capacitance in micromicrofarads per foot of *line*,

db = attenuation in decibels per foot of *wire*,

R_f = r-f resistance in ohms per loop-foot of *wire*,

f = frequency in megacycles.

Vertical Antenna

The capacitance of a vertical antenna, shorter than one-quarter wave length at its operating frequency, is given by

$$C_a = \frac{17l}{\left[\left(\log \epsilon \frac{24l}{d} \right) - 1 \right] \left[1 - \left(\frac{fl}{246} \right)^2 \right]}$$

where C_a = capacitance of the antenna in micromicrofarads,

l = height of antenna in feet,

d = diameter of antenna conductor in inches,

f = operating frequency in megacycles,

ϵ = 2.718 (the base of the natural system of logarithms).

Vacuum Tube Formulas and Symbols

Vacuum Tube Constants

Amplification factor (Mu or μ) is given by

$$\mu = \frac{\Delta E_p}{\Delta E_g} \text{ (with } I_p \text{ constant)}$$

Dynamic plate resistance in ohms, is given by

$$r_p = \frac{\Delta E_p}{\Delta I_p} \text{ (with } E_g \text{ constant)}$$

Mutual conductance in mhos, is given by

$$g_m = \frac{\Delta I_p}{\Delta E_g} \text{ (with } E_p \text{ constant)}$$

Vacuum Tube Formulas

Gain per stage is given by

$$\mu \left(\frac{R_L}{R_L + r_p} \right)$$

Voltage output appearing in R_L is given by

$$\mu \left(\frac{E_s R_L}{r_p + R_L} \right)$$

Power output in R_L , is given by

$$R_L \left(\frac{\mu E_s}{r_p + R_L} \right)^2$$

Maximum power output in R_L which results when $R_L = r_p$, is given by

$$\frac{(\mu E_s)^2}{4r_p}$$

Maximum undistorted power output in R_L , which results when $R_L = 2r_p$, is given by

$$\frac{2(\mu E_s)^2}{9r_p}$$

Required cathode biasing resistor in ohms, for a single tube is given by

$$\frac{E_g}{I_k}$$

Vacuum Tube Symbols

Mu or μ = Amplification factor,

r_p = Dynamic plate resistance in ohms,

g_m = Mutual conductance in mhos,

E_p = Plate voltage in volts,

E_g = Grid voltage in volts,

I_p = Plate current in amperes,

R_L = Plate load resistance in ohms,

I_k = Total cathode current in amperes,

E_s = Signal voltage in volts,

Δ = change or variation in value, which may be either an increment (increase), or a decrement (decrease).

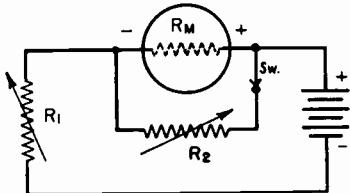
Peak, R.M.S., and Average A-C Values of E & I

Given Value	To get . . .		
	Peak	R.M.S.	Av.
Peak		0.707 × Peak	0.637 × Peak
R.M.S.	1.41 × R.M.S.		0.9 × R.M.S.
Av.	1.57 × Av.	1.11 × Av.	

D-C Meter Formulas

Meter Resistance

The d-c resistance of a milliammeter or voltmeter movement may be determined as follows:



1. Connect the meter in series with a suitable battery and variable resistance R_1 , as shown in the diagram above.
2. Vary R_1 until a full scale reading is obtained.
3. Connect another variable resistor R_2 across the meter and vary its value until a half scale reading is obtained.
4. Disconnect R_2 from the circuit and measure its d-c resistance.

The meter resistance R_m is equal to the measured resistance of R_2 .

Caution: Be sure that R_1 has sufficient resistance to prevent an off scale reading of the meter. The correct value depends upon the sensitivity of meter, and voltage of the battery. The following formula can be used if the full scale current of the meter is known:

$$R_1 = \frac{\text{voltage of the battery used}}{\text{full scale current of meter in amperes}}$$

For safe results, use twice the value computed. Also, never attempt to measure the resistance of a meter with an ohmmeter. To do so would in all probability result in a burned-out or severely damaged meter, since the current required for the operation of some ohmmeters and bridges is far in excess of the full scale current required by the movement of the average meter you may be checking.

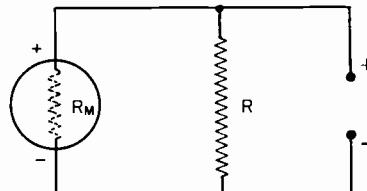
Ohms per Volt Rating of a Voltmeter

$$\Omega/V = \frac{1}{I_{fs}}$$

where Ω/V = ohms per volt,

I_{fs} = full scale current in amperes.

Fixed Current Shunts



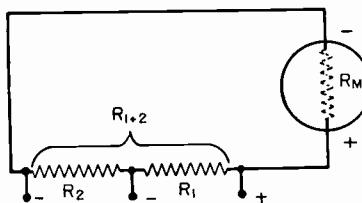
$$R = \frac{R_m}{N - 1}$$

R = shunt value in ohms,

N = the new full scale reading divided by the original full scale reading, both being stated in the same units,

R_m = meter resistance in ohms.

Multi-Range Shunts



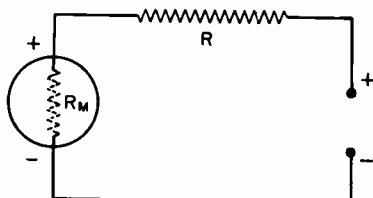
$$R_1 = \frac{R_{1+2} + R_m}{N}$$

R_1 = intermediate or tapped shunt value in ohms,

R_{1+2} = total resistance required for the lowest scale reading wanted,

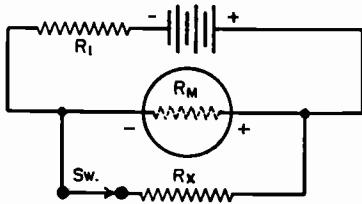
R_m = meter resistance in ohms,

N = the new full scale reading divided by the original full scale reading, both being stated in the same units.

Voltage Multipliers


$$R = \frac{E_{fs}}{I_{fs}} - R_m$$

R = multiplier resistance in ohms,
 E_{fs} = full scale reading required in volts,
 I_{fs} = full scale current of meter in amperes,
 R_m = meter resistance in ohms.

Measuring Resistance


with Milliammeter and Battery*

$$R_x = R_m \left(\frac{I_2}{I_1 - I_2} \right)$$

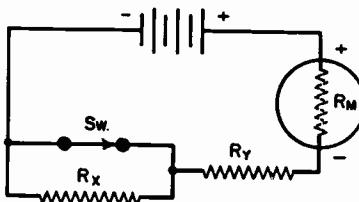
R_x = unknown resistance in ohms,
 R_m = meter resistance in ohms, or effective meter resistance if a shunted range is used,

I_1 = current reading with switch open,
 I_2 = current reading with switch closed,
 R_1 = current limiting resistor of sufficient value to keep meter reading on scale when switch is open.

* Approximately true only when current limiting resistor is large as compared to meter resistance.

Shunt Values for 27-Ohm 0-1 Milliammeter

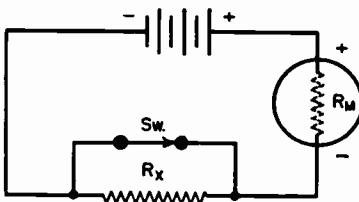
FULL SCALE CURRENT	SHUNT RESISTANCE
0-10 ma	3.0 ohms
0-50 ma	0.551 ohms
0-100 ma	0.272 ohms
0-500 ma	0.0541 ohms

Measuring Resistance—(Continued)


with Milliammeter, Battery and Known Resistor

$$R_x = \left(R_y + R_m \right) \left(\frac{I_1 - I_2}{I_2} \right)$$

R_x = unknown resistance in ohms,
 R_y = known resistance in ohms,
 R_m = meter resistance in ohms,
 I_1 = current reading with switch closed,
 I_2 = current reading with switch open.



with Voltmeter and Battery

$$R_x = R_m \left(\frac{E_1}{E_2} - 1 \right)$$

R_x = unknown resistance in ohms,
 R_m = meter resistance in ohms, including multiplier resistance if a multiplied range is used,
 E_1 = voltmeter reading with switch closed,
 E_2 = voltmeter reading with switch open.

Multiplier Values for 27-Ohm 0-1 Milliammeter

FULL SCALE VOLTAGE	MULTIPLIER RESISTANCE
0-10 volts	10,000 ohms
0-50 volts	50,000 ohms
0-100 volts	100,000 ohms
0-250 volts	250,000 ohms
0-500 volts	500,000 ohms
0-1,000 volts	1,000,000 ohms

Ohm's Law for A-C Circuits

The fundamental Ohm's law formulas for a-c circuits are given by

$$I = \frac{E}{Z}, \quad Z = \frac{E}{I},$$

$$E = IZ, \quad P = EI \cos \theta$$

where I = current in amperes,
 Z = impedance in Ohms,
 E = volts across Z ,
 P = power in watts,
 θ = phase angle in degrees.

Phase Angle

The phase angle is defined as the difference in degrees by which current leads voltage in a capacitive circuit, or lags voltage in an inductive circuit, and in series circuits is equal to the angle whose tangent is given by the

ratio $\frac{X}{R}$ and is expressed by

$$\text{arc tan } \frac{X}{R}$$

where X = the inductive or capacitive reactance in ohms,

R = the non-reactive resistance in ohms,

of the combined resistive and reactive components of the circuit under consideration.

Therefore

in a purely resistive circuit, $\theta = 0^\circ$

in a purely reactive circuit, $\theta = 90^\circ$

and in a resonant circuit, $\theta = 0^\circ$

also when

$\theta = 0^\circ, \cos \theta = 1$ and $P = EI$,

$\theta = 90^\circ, \cos \theta = 0$ and $P = 0$.

Degrees $\times 0.0175$ = radians.
 1 radian = 57.3° .

Power Factor

The power-factor of any a-c circuit is equal to the true power in watts divided by the apparent power in volt-amperes which is equal to the cosine of the phase angle, and is expressed by

$$\text{p.f.} = \frac{EI \cos \theta}{EI} = \cos \theta$$

where

$p.f.$ = the circuit load power factor,

$EI \cos \theta$ = the true power in watts,

EI = the apparent power in volt-amperes,

E = the applied potential in volts

I = load current in amperes.

Therefore

in a purely resistive circuit.

$\theta = 0^\circ$ and $p.f. = 1$

and in a reactive circuit,

$\theta = 90^\circ$ and $p.f. = 0$

and in a resonant circuit,

$\theta = 0^\circ$ and $p.f. = 1$

Ohm's Law for D-C Circuits

The fundamental Ohm's law formulas for d-c circuits are given by,

$$I = \frac{E}{R}, \quad R = \frac{E}{I},$$

$$E = IR, \quad P = EI.$$

where I = current in amperes,

R = resistance in ohms,

E = potential across R in volts,

P = power in watts.

Ohm's Law Formulas for D-C Circuits

Known Values	Formulas for Determining Unknown Values of ...			
	I	R	E	P
I & R			IR	I^2R
I & E		$\frac{E}{I}$		EI
I & P		$\frac{P}{I^2}$	$\frac{P}{I}$	
R & E	$\frac{E}{R}$			$\frac{E^2}{R}$
R & P	$\sqrt{\frac{P}{R}}$		\sqrt{PR}	
E & P	$\frac{P}{E}$	$\frac{E^2}{P}$		

Ohm's Law Formulas for A-C Circuits

Known Values	Formulas for Determining Unknown Values of ...			
	I	Z	E	P
I & Z			IZ	$I^2Z \cos \theta$
I & E		$\frac{E}{I}$		$IE \cos \theta$
I & P		$\frac{P}{I^2 \cos \theta}$	$\frac{P}{I \cos \theta}$	
Z & E	$\frac{E}{Z}$			$\frac{E^2 \cos \theta}{Z}$
Z & P	$\sqrt{\frac{P}{Z \cos \theta}}$		$\sqrt{\frac{PZ}{\cos \theta}}$	
E & P	$\frac{P}{E \cos \theta}$	$\frac{E^2 \cos \theta}{P}$		

Coil Winding Data

Turns Per Inch

Gauge (AWG) or (B&S)	Number of Turns per Linear Inch			
	Enamel	S.S.C.	D.S.C. and S.C.C.	D.C.C.
1	—	—	3.3	3.3
2	—	—	3.8	3.6
3	—	—	4.2	4.0
4	—	—	4.7	4.5
5	—	—	5.2	5.0
6	—	—	5.9	5.6
7	—	—	6.5	6.2
8	7.6	—	7.4	7.1
9	8.6	—	8.2	7.8
10	9.6	—	9.3	8.9
11	10.7	—	10.3	9.8
12	12.0	—	11.5	10.9
13	13.5	—	12.8	12.0
14	15.0	—	14.2	13.8
15	16.8	—	15.8	14.7
16	18.9	18.9	17.9	16.4
17	21.2	21.2	19.9	18.1
18	23.6	23.6	22.0	19.8
19	26.4	26.4	24.4	21.8
20	29.4	29.4	27.0	23.8
21	33.1	32.7	29.8	26.0
22	37.0	36.5	34.1	30.0
23	41.3	40.6	37.6	31.6
24	46.3	45.3	41.5	35.6
25	51.7	50.4	45.6	38.6
26	58.0	55.6	50.2	41.8
27	64.9	61.5	55.0	45.0
28	72.7	68.6	60.2	48.5
29	81.6	74.8	65.4	51.8
30	90.5	83.3	71.5	55.5
31	101.	92.0	77.5	59.2
32	113.	101.	83.6	62.6
33	127.	110.	90.3	66.3
34	143.	120.	97.0	70.0
35	158.	132.	104.	73.5
36	175.	143.	111.	77.0
37	198.	154.	118.	80.3
38	224.	166.	126.	83.6
39	248.	181.	133.	86.6
40	282.	194.	140.	89.7

Coil Winding Formulas

The following approximations for winding *r-f* coils are accurate to within approx. 1% for nearly all small air-core coils, where

L = self inductance in microhenrys,

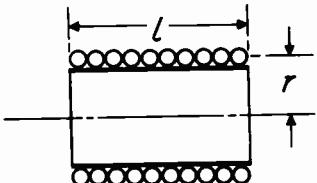
N = total number of turns,

r = mean radius in inches,

l = length of coil in inches,

b = depth of coil in inches.

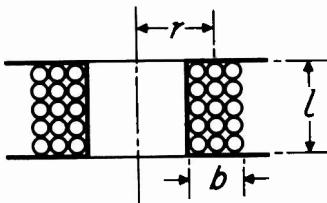
Single-Layer Wound Coils



$$L = \frac{(rN)^2}{9r + 10l}$$

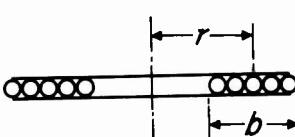
$$N = \frac{\sqrt{L(9r + 10l)}}{r}$$

Multi-Layer Wound Coils



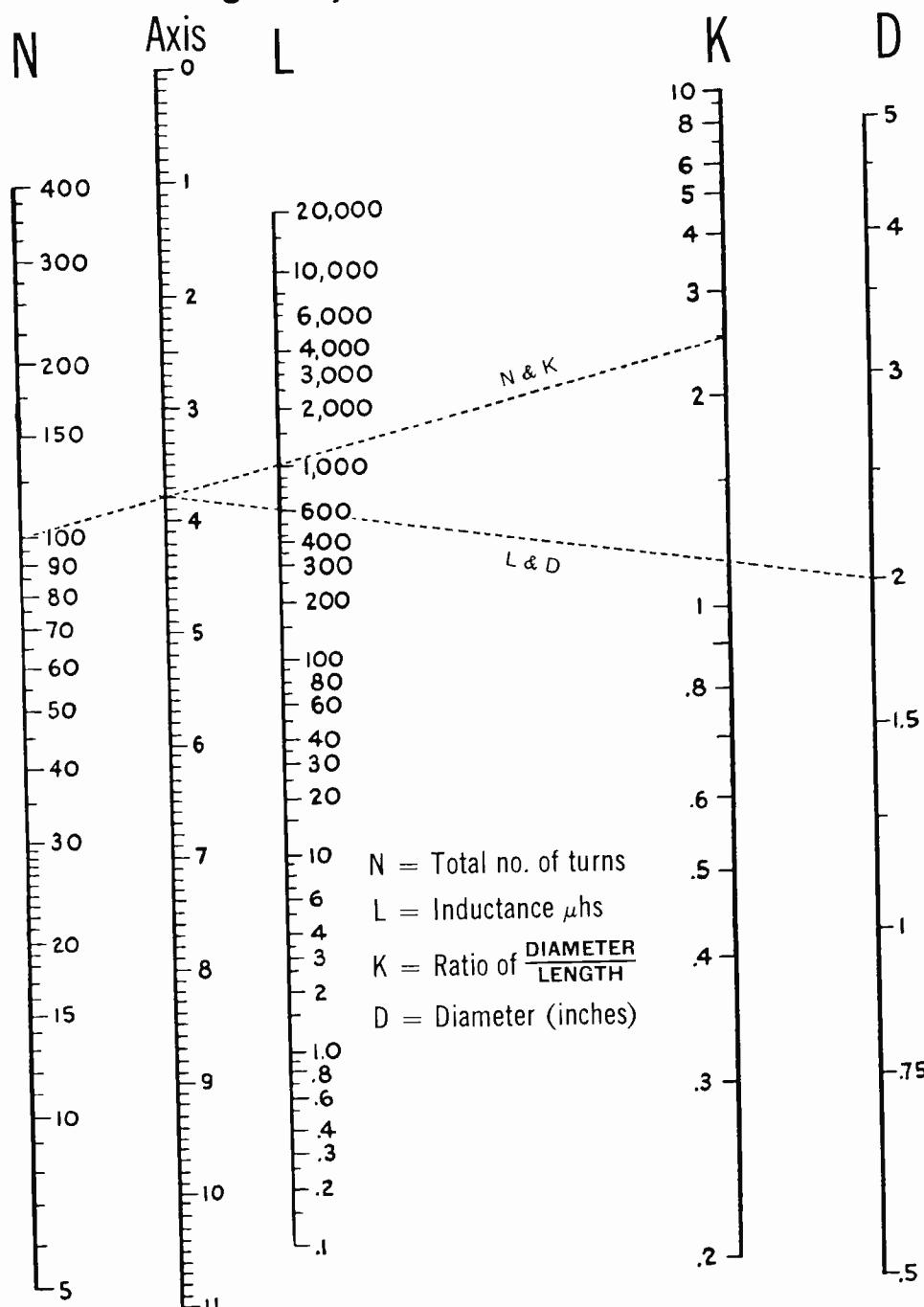
$$L = \frac{0.8(rN)^2}{6r + 9l + 10b}$$

Single-Layer Spiral Wound Coils



$$L = \frac{(rN)^2}{8r + 11b}$$

Single-Layer Wound Coil Chart



Courtesy, P. R. Mallory & Co., Inc.

Single-Layer Wound Coil Chart

The chart on the opposite page provides a convenient means of determining the unknown factors of small sized single-layer wound r-f coils. Values thus found so closely approximate those determined by measurement or mathematical calculation as to be entirely satisfactory for all practical purposes of experimentation, design, and repair work. Since in all coils of this type, the difference between the mean and inner diameter of the winding is so slight as to be negligible, **D** in all instances may be either the mean or inner diameter as desired.

Example: Given the total number of turns, winding length and diameter of a coil,— to find the inductance:

1. Place a straightedge on the chart so as to form a line intersecting the number of turns **N**, and the ratio of diameter to length **K**, and note the point intersected on the linear axis column.

2. Now move the straightedge so as to form a second line which will intersect this same point on the **axis** column, and the diameter **D**.
3. The point where this line intersects the **L** column indicates the inductance of the coil in microhenries.

Example: Given the diameter, winding length and inductance in microhenries,— to find the number of turns;

1. Simply reverse the process outlined above for determining inductance.
2. After finding the number of turns, consult the wire table on page 26 and determine the size of wire to be used.

The dotted lines appearing on the chart illustrate the correct plotting of a 600-microhenry coil consisting of 100 turns of wire, wound to $51/64"$ on a form 2" in diameter.

Inductance, Capacitance, Reactance Charts

The direct-reading charts appearing on the following three pages are designed for determining unknown values of frequency, inductance, capacitance and reactance components operating in a-f and r-f circuits.

The simplifications embodied in these charts make them extremely useful. The frequency range covered comprises the frequency spectrum from 1 cycle per second up to 1000 megacycles per second. All of the scales involved are plotted in actual magnitudes so that no computations are required to determine the location of the decimal point in the final result.

To make these conditions possible the frequency spectrum has been divided into three parts:

Chart I (page 30)—Covers the range from 1 cycle to 1000 cycles.

Chart II (page 31)—From 1 kilocycle to 1000 kilocycles.

Chart III (page 32)—From 1 megacycle to 1000 megacycles.

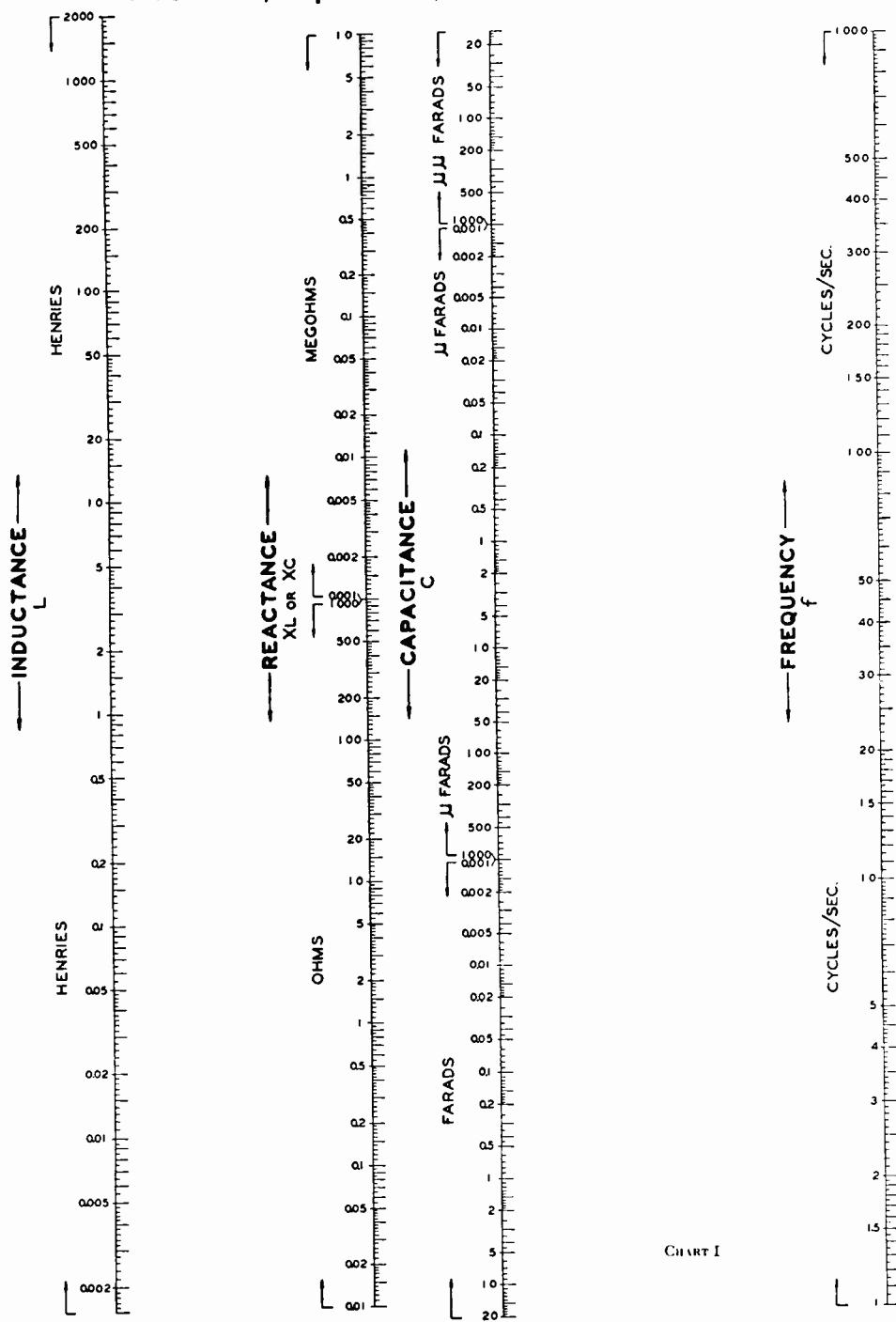
Inductance, capacitance, reactance and frequency have been plotted so that the reactance offered by an inductance or capacitance at any frequency may be readily determined by placing a straight-edge across the chart connecting the known quantities.

Since $X_L = X_C$ at resonance in most radio circuits, the charts may also be used to find the resonant frequency of any combination of *L* and *C*.

To illustrate with a simple example, suppose the reactance of a 0.01 μf . capacitor is desired at a frequency of 400 cycles. Place a straight-edge across the proper chart so as to connect the points 0.01 μf . and 400 cycles per sec. The quantity desired is the point of intersection with the reactance scale which is 40,000 ohms. The straight-edge also intersects the inductance scale at 15.8 henrys indicating that this value of inductance likewise has a reactance of 40,000 ohms at 400 cycles per sec. and furthermore, that these values of *L* and *C* produce resonance at this frequency.

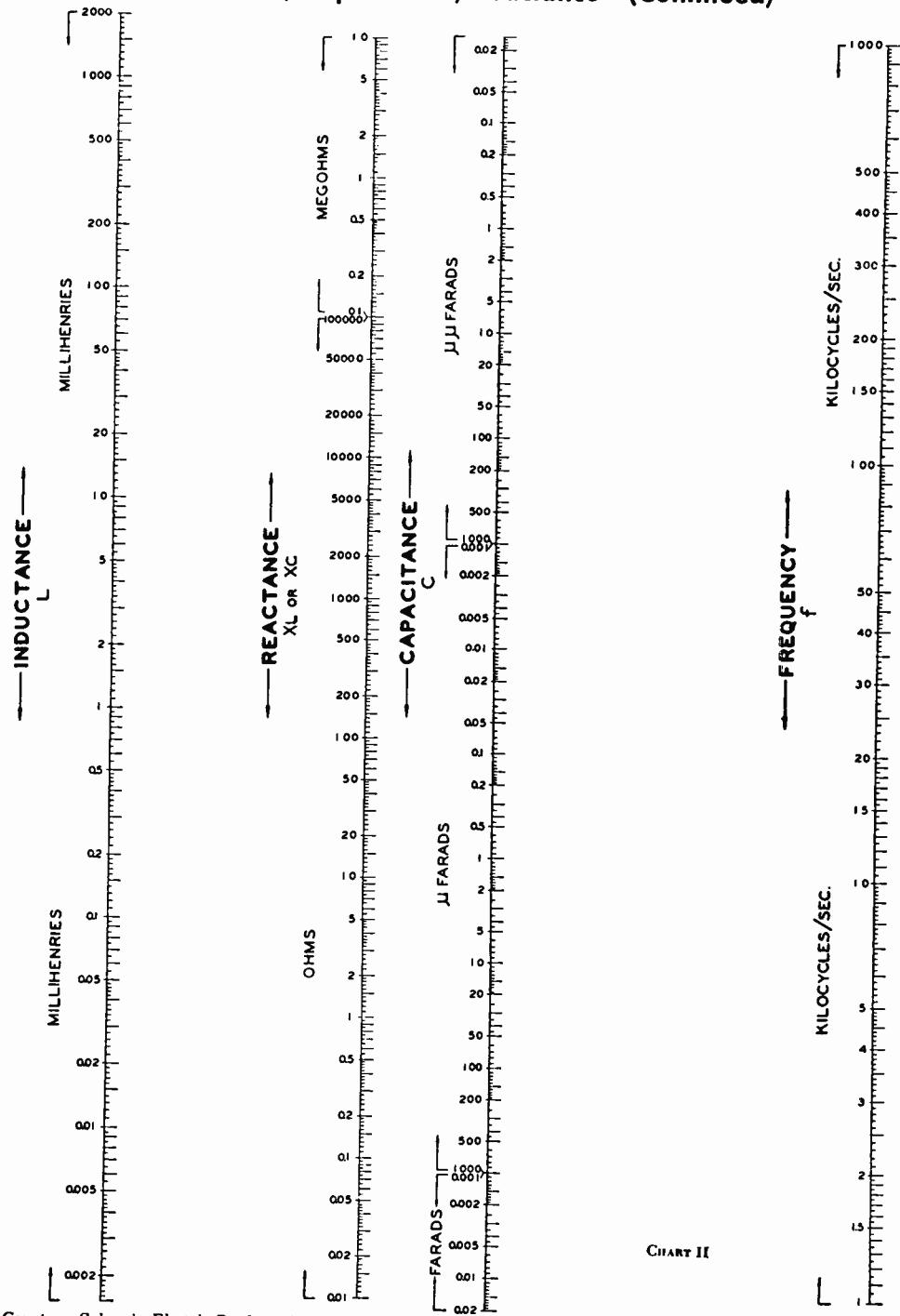
There are many practical uses for these charts. The radio experimenter, maintenance man and engineer will find them helpful in the rapid solution of many reactance problems. Unusual care was exercised in laying out the various scales in order to secure a high degree of accuracy for the charts. Results should be obtainable which are at least as accurate as might be secured with a ten-inch slide rule.

Inductance, Capacitance, Reactance—(Continued)



Courtesy, Sylvania Electric Products Inc.

Inductance, Capacitance, Reactance—(Continued)



Courtesy, Sylvania Electric Products Inc.

CHART II

Inductance, Capacitance, Reactance—(Continued)

The figure consists of four logarithmic scales arranged in a square:

- Vertical Axis (Left):** INDUCTANCE L in microhenries (μ HENRIES).
- Horizontal Axis (Top):** REACTANCE X_L or X_C in ohms (OHMS).
- Vertical Axis (Right):** CAPACITANCE C in microfarads (μ FARADS).
- Horizontal Axis (Bottom):** FREQUENCY f in megacycles/sec. (MEGACYCLES/SEC.).

Arrows indicate the relationships between the variables:

- $L \propto f^{-1}$
- $X_L \propto f$
- $C \propto f^{-1}$
- $X_C \propto f^{-1}$

Courtesy, Sylvania Electric Products Inc.

32

CHART III

How to Use Logarithms

Logarithms are used to simplify numerical computations involving multiplications, division, powers and roots. With logarithms, multiplication is reduced to simple addition, and division is reduced to simple subtraction. Raising to a power is reduced to a single multiplication, and extracting a root is reduced to a single division.

The common logarithm of any number is the power to which 10 must be raised in order to equal that number.

Therefore, since

$$\begin{aligned}1000 &= 10^3 \\100 &= 10^2 \\10 &= 10^1 \\1 &= 10^0 \\0.1 &= 10^{-1} \\0.01 &= 10^{-2} \\0.001 &= 10^{-3} \\0.0001 &= 10^{-4}\end{aligned}$$

it is true that

$$\begin{aligned}\log 1000 &= 3 \\ \log 100 &= 2 \\ \log 10 &= 1 \\ \log 1 &= 0 \\ \log 0.1 &= -1 \\ \log 0.01 &= -2 \\ \log 0.001 &= -3 \\ \log 0.0001 &= -4\end{aligned}$$

The common system of logarithms has for its base the number 10, and is written \log_{10} or more commonly log, since the base 10 is always implied unless some other base is specifically indicated. There are formulas however which use the natural system of logarithms. This system has for its base the number 2.718... which is represented by the Greek letter e and is always written $\log e$.

A table of natural logarithms has not been included in this handbook however, since the common log of a number is approximately equal to 0.4343 times the natural log of the same number. Conversely, the natural log of a number is approximately equal to 2.3026 times the common log of the same number.

In observing the following exponential and logarithmic relationships,

Exponential Form		Logarithmic Form	
100	$= 10^2$	$\log 100$	$= 2.000$
15	$= 10^{1.176}$	$\log 15$	$= 1.176$
10	$= 10^1$	$\log 10$	$= 1.000$
7	$= 10^{0.845}$	$\log 7$	$= 0.845$
1	$= 10^0$	$\log 1$	$= 0.000$
0.1	$= 10^{-1}$	$\log 0.1$	$= -1.000$
0.7	$= 10^{-1.845}$	$\log 0.7$	$= -1.845$
0.015	$= 10^{-2.176}$	$\log 0.015$	$= -2.176$
0.001	$= 10^{-3}$	$\log 0.001$	$= -3.000$

it will be seen that only the direct powers of 10 have whole numbers for logarithms; also that the logarithms of all numbers lying between a power of 10, consist of a whole number and a decimal. The whole number is called the characteristic, and the decimal, the mantissa. Since the characteristic serves only to fix the location of the decimal point in the expression indicated by the log, it can be found by inspection and is not included in the log table. The following will be helpful:

1. The characteristic of any number greater than 1 is always positive and is equal to one less than the number of digits to the left of the decimal.
2. The characteristic of any number less than 1 is always negative and is equal to one plus the number of zeros to the decimal.
3. The characteristic of any number may be determined by expressing the number as a power of 10 and using this power as the characteristic of the logarithm for that number.

Since only the characteristic of a logarithm is ever negative, the mantissa always being a positive number, it is customary to write a log containing a negative characteristic as follows:

$$\log 0.7 = -1.845,$$

or, by adding +10 to the characteristic and, in order to maintain equality, -10 at the right of the characteristic,

$$\log 0.7 = 9.845 - 10$$

Examples:

150	1.5×10^2	2
15	1.5×10^1	1
1.5	1.5×10^0	0
0.15	1.5×10^{-1}	-1 or 9 - 10
0.015	1.5×10^{-2}	-2 or 8 - 10
0.0015	1.5×10^{-3}	-3 or 7 - 10

Therefore, to find the logarithm of any number:

1. Write the number as a power of 10, and put down the resulting exponent of 10 as the characteristic.
2. Determine the mantissa from the log tables on page 56, and write this as a decimal figure following the characteristic.
3. If the resulting logarithm has a negative characteristic, change this to the positive form.

Example: Find the logarithm of .00623:

Since $.00623 = 6.23 \times 10^{-3}$, the characteristic is -3. The mantissa as shown by the log table is 7945. The resultant logarithm = 3.7945 or when written in its positive form, 7.7945 - 10.

To find the log of any number having more than three significant figures (by interpolation):

1. Determine the characteristic.
2. Find the mantissa corresponding to the first three significant figures.
3. Find the next higher mantissa and take the tabular difference.
4. Find the product of the tabular difference and the digit following the first three significant figures of the given number written as a decimal.
5. Add this product to the lesser mantissa.

Example: Find the logarithm of 54.65.

Since $54.65 = 5.465 \times 10^1$, the characteristic is 1.

Next higher mantissa = .7380

Next lower mantissa = .7372

Tabular difference = .0008

× .5

Product	.00040
---------	--------

Plus lesser mantissa	.7372
----------------------	-------

Mantissa of 5.465	.7376
-------------------	-------

$\therefore \log 54.65 = 1.7376$

Although a four-place log table is used here, for purposes where accuracy to 3 significant figures is required, generally, a three place table is sufficiently accurate for all practical purposes. Since the mantissa of a logarithm represents only the significant figures of any number, the same mantissa is used for .04, 4, 400, etc., the decimal point being fixed later by the characteristic. Therefore any number consisting of 1 or 2 significant figures may be found in the column marked **N**, and its mantissa will be found on the same line in this column headed by **0**. For any number containing 3 significant figures, locate the first two figures in the **N** column, and the third figure in the column headed by the corresponding digit. The mantissa will be found in this column, on a line even with the first two digits.

Example:

log	21	= 1.3222
log	2.1	= 0.3222
log	210	= 2.3222
log	.0021	= 7.3222 - 10
log	213	= 2.3284
log	.0213	= 8.3284 - 10
log	3	= 0.4771
log	300	= 2.4771
log	.003	= 7.4771 - 10

The number corresponding to a given logarithm is called the **antilogarithm**, and is written "antilog". Example: Since $\log 692 = 2.8401$, the antilog of 2.8401 = 692.

Finding the antilog of a number is the reverse of finding the logarithm. First locate the mantissa in the log table, and determine its corresponding number. Now, place the decimal as indicated by the characteristic.

Example: To find the antilog of 3.9138, look up 9138 in the log table. Its corresponding number is 82, or expressed as a power of 10, equals 8.2. A characteristic of 3 means that 8.2 must be multiplied by 10^3 . Therefore, antilog 3.9138 = $8.2 \times 10^3 = 8200$.

Similarly

Antilog 5.9138 = $8.2 \times 10^5 = 82,0000$

Antilog 0.9138 = $8.2 \times 10^0 = 8.2$

Antilog 7.9138 - 10 = $8.2 \times 10^{-3} = 0.0082$

Antilog 9.9138 - 10 = $8.2 \times 10^{-1} = 0.82$

To find the antilogarithm of a logarithm

whose mantissa is not exactly given in the table,

- Find the tabular difference between the next highest and next lowest mantissas.
- Divide this by the difference between the given mantissa and the next lowest mantissa.
- Add the resulting quotient to the significant figures expressed by the next lower mantissa.
- Place the decimal as indicated by the given characteristic.

Example: Find the antilog of 1.7376

Next higher mantissa	.7380
Next lower mantissa	.7372
Tabular difference	.0008
Given mantissa	.7376
Next lower mantissa	.7372
Tabular difference	.0004
Quotient of	.0004 .0008 = .5

The resultant figure therefore is .5 larger than the significant figures expressed by the lesser mantissa .7372 or 546. The sequence of figures therefore is 546.5

$$\therefore \text{the antilog of } 1.7376 = 54.65$$

NOTE: When interpolating as shown above, do not exceed four significant figures in your answer since interpolated results from a four-place table are not accurate beyond this point.

Logarithms are added or subtracted like arithmetical numbers, provided they are written with positive characteristics. If the characteristic in the total is greater than 9, and the notation -10, -20, -30, etc., appears after the mantissa, subtract a multiple of 10 from the positive part and add the same multiple of 10 to the negative part, so as to make the resultant characteristic less than 10.

EXAMPLES:

Addition of logarithms

2.764	6.326 - 10	6.328 - 10
4.304	6.284	7.764 - 10
7.068	12.610 - 10	9.104 - 10
	or	23.196 - 30
2.610		or
		3.196 - 10

Subtraction of logarithms

$$\begin{array}{r} 4.107 \\ 6.986 \\ \hline 14.107 - 10 \\ 6.986 \\ \hline 7.121 - 10 \\ 11.672 - 10 \\ 5.785 - 10 \\ \hline 5.887 \end{array}$$

The relationships of logarithmic operations are expressed by the following formulas:

$$\begin{aligned} \log(a \times b) &= \log a + \log b \\ \log\left(\frac{a}{b}\right) &= \log a - \log b \\ \log(a^b) &= b \log a \\ \log \sqrt[b]{a} &= \frac{\log a}{b} \end{aligned}$$

EXAMPLES

To Multiply 1.24 by 246

$$\begin{array}{r} \log \text{ of } 1.24 = 0.0934 \\ \log \text{ of } 246 = 2.3909 \\ \hline \text{Total } 2.4843 \end{array}$$

The antilog of 2.4843 = 305, which is as accurate as can be determined with a four-place table. The full answer to this problem is 305.04.

To Divide 961 by 224

$$\begin{array}{r} \log \text{ of } 961 = 2.9827 \\ \log \text{ of } 224 = 2.3502 \\ \hline \text{Difference } 0.6325 \end{array}$$

The antilog of 0.6325 = 4.29 which is as accurate as can be determined with a four-place table. The product of 224 and 4.29 is 960.96.

Powers: Find 12² by logarithms:

$$\begin{array}{r} \log \text{ of } 12 = 1.0792 \\ \times 2 \\ \hline 2.1584 \end{array}$$

The antilog of 2.1584 = 144.

Roots Find $\sqrt[3]{343}$

$$\begin{array}{r} \log \text{ of } 343 = 2.5353 \div 3 = .8451 \\ \text{The antilog of } .8451 = 7. \end{array}$$

Logarithms of Negative Numbers. Because the logarithms of negative numbers are imaginary in character, they cannot be used in computation as with positive numbers. However, since the numerical results of multiplying, dividing, etc., are not affected by the signs, you can determine the numerical results by logarithms and later affix the final + or - signs by inspection.

Trigonometric Relationships

In any right triangle, if we let

θ = the acute angle formed by the hypotenuse and the base leg,

ϕ = the acute angle formed by the hypotenuse and the altitude leg,

H = the hypotenuse,

A = the side adjacent θ and opposite ϕ ,

O = the side opposite θ and adjacent ϕ ,

then sine of θ = $\sin \theta = \frac{O}{H}$

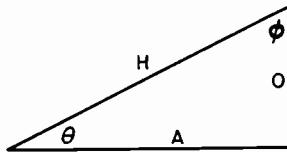
cosine of θ = $\cos \theta = \frac{A}{H}$

tangent of θ = $\tan \theta = \frac{O}{A}$

cosecant of θ = $\csc \theta = \frac{H}{O}$

secant of θ = $\sec \theta = \frac{H}{A}$

cotangent of θ = $\cot \theta = \frac{A}{O}$



also

$$\sin \theta = \cos \phi \quad \csc \theta = \sec \phi$$

$$\cos \theta = \sin \phi \quad \sec \theta = \csc \phi$$

$$\tan \theta = \cot \phi \quad \cot \theta = \tan \phi$$

and

$$\frac{1}{\sin \theta} = \csc \theta \quad \frac{1}{\csc \theta} = \sin \theta$$

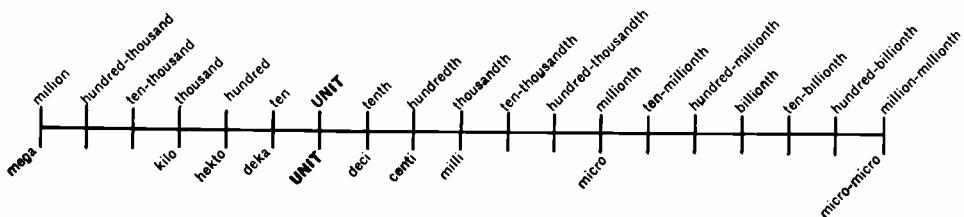
$$\frac{1}{\cos \theta} = \sec \theta \quad \frac{1}{\sec \theta} = \cos \theta$$

$$\frac{1}{\tan \theta} = \cot \theta \quad \frac{1}{\cot \theta} = \tan \theta$$

The expression "arc sin" indicates, "the angle whose sine is" . . . ; likewise arc tan indicates, "the angle whose tangent is" . . . etc. See formulas in table below.

Known Values	Formulas for Determining Unknown Values of . . .				
	A	O	H	θ	ϕ
A & O			$\sqrt{A^2 + O^2}$	$\text{arc tan } \frac{O}{A}$	$\text{arc tan } \frac{A}{O}$
A & H		$\sqrt{H^2 - A^2}$		$\text{arc cos } \frac{A}{H}$	$\text{arc sin } \frac{A}{H}$
A & θ		$A \tan \theta$	$\frac{A}{\cos \theta}$		$90^\circ - \theta$
A & ϕ		$\frac{A}{\tan \phi}$	$\frac{A}{\sin \phi}$	$90^\circ - \phi$	
O & H	$\sqrt{H^2 - O^2}$			$\text{arc sin } \frac{O}{H}$	$\text{arc cos } \frac{O}{H}$
O & θ	$\frac{O}{\tan \theta}$		$\frac{O}{\sin \theta}$		$90^\circ - \theta$
O & ϕ	$O \tan \phi$		$\frac{O}{\cos \phi}$	$90^\circ - \phi$	
H & θ	$H \cos \theta$	$H \sin \theta$			$90^\circ - \theta$
H & ϕ	$H \sin \phi$	$H \cos \phi$		$90^\circ - \phi$	

Metric Relationships



The above chart shows the relation between the American and the metric systems of notation.

This chart also serves to quickly locate the decimal point in the conversion from one metric expression to another.

Example: Convert 5.0 milliwatts to watts. Place the finger on milli and count the number of steps from there to units (since the

term watt is a basic unit). The number of steps so counted is three, and the direction was to the left. Therefore, 5.0 milliwatts is the equivalent of .005 watts.

Example: Convert 0.00035 microfarads to micromicrofarads. Here the number of steps counted will be six to the right. Therefore 0.00035 microfarads is the equivalent of 350 micromicrofarads.

Metric Conversion Table

ORIGINAL VALUE	DESIRED VALUE							
	Mega	Kilo	Units	Deci	Centi	Milli	Micro	Micromicro
Mega		3→	6→	7→	8→	9→	12→	18→
Kilo	← 3		3→	4→	5→	6→	9→	15→
Units	← 6	← 3		1→	2→	3→	6→	12→
Deci	← 7	← 4	← 1		1→	2→	5→	11→
Centi	← 8	← 5	← 2	← 1		1→	4→	10→
Milli	← 9	← 6	← 3	← 2	← 1		3→	9→
Micro	← 12	← 9	← 6	← 5	← 4	← 3		6→
Micromicro	← 18	← 15	← 12	← 11	← 10	← 9	← 6	

The above metric conversion table provides a fast and automatic means of conversion from one metric notation to another. The notation "Unit" represents the basic units of measurement, such as amperes, volts, ohms, watts, cycles, meters, grams, etc. To use the table, first locate the original or given value in the left-hand column. Now follow this line horizontally to the vertical column headed by the prefix of the desired value. The figure and arrow at this point indicates number of places and direction decimal point is to be moved.

Example: Convert 0.15 ampere to milliamperes. Starting at the "Units" box in the left-hand column (since ampere is a basic unit of measurement), move horizontally to the column headed by the prefix "Milli", and read 3→. Thus 0.15 ampere is the equivalent of 150 milliamperes.

Example: Convert 50,000 kilocycles to megacycles. Read in the box horizontal to "Kilo" and under "Mega", the notation ←3, which means a shift of the decimal three places to the left. Thus 50,000 kilocycles is the equivalent of 50 megacycles.

Pilot Lamp Data

Maximum Size See Chart below for dimensions						
	A	B	C	A	B	C
	13/32"	13/32"	7/16"	7/16"	9/16"	5/8"
	1 1/16"	3/4"	23/32"	1/2"	1/2"	5/8"
	1 3/16"	1 3/16"	15/16"	15/16"	1 1/16"	1 3/16"
Bulb No.	T-3 1/4	T-3 1/4	G-3 1/2	G-3 1/2	G-4 1/2	G-5
Base	Screw (Miniature)	Bayonet (Miniature)	Screw (Miniature)	Bayonet (Miniature)	Bayonet (Miniature)	Bayonet (Miniature)
Bulb Type	Tubular	Tubular	Small Round	Small Round	Large Round	Large Round
Lamp Numbers	40 41 42 46 48 1490	43 44 45 47 49	50	51	55	1458

Lamp No.	Bead Color	Base (Miniature)	Bulb Type	RATING		Used for
				Volts	Amps.	
40	Brown	Screw	T-3 1/4	6-8	0.15	Dials
41	White	Screw	T-3 1/4	2.5	0.5	Dials
42	Green	Screw	T-3 1/4	3.2	‡	Dials
43	White	Bayonet	T-3 1/4	2.5	0.5	Dials and Tuning Meters
44	Blue	Bayonet	T-3 1/4	6-8	0.25	Dials and Tuning Meters
45	*	Bayonet	T-3 1/4	3.2	‡	Dials
46*	Blue	Screw	T-3 1/4	6-8	0.25	Dials and Tuning Meters
47	Brown	Bayonet	T-3 1/4	6-9	0.15	Dials
48	Pink	Screw	T-3 1/4	2.0	0.06	Battery Set Dials
49	Pink	Bayonet	T-3 1/4	2.0	0.06	Battery Set Dials
50	White	Screw	G-3 1/2	6-8	0.2	Auto-Radio Dials; Flashlights
51*	White	Bayonet	G-3 1/2	6-8	0.2	Auto-Radio Dials; Panel Boards
55	White	Bayonet	G-4 1/2	6-8	0.4	Auto-Radio Dials; Parking Lights
1458		Bayonet	G-5	20.0	0.25	Dials
1490		Bayonet	T-3 1/4	3.2	0.15	Dials

* White in G.E. and Sylvania; Green in National Union Raytheon and Tung-Sol.

† 0.35 in G.E. and Sylvania; 0.5 in National Union Raytheon and Tung-Sol.

▲ Have frosted bulb.

Directly Interchangeable Tubes

Tube Number	Replace with	Tube Number	Replace with	Tube Number	Replace with
01A	40	1LN5	1LC5		{ 5AZ4
0A2	0B2	1N5	{ 1P5		{ 5U4
0A3	VR75		{ 1D5		{ 5V4
0A4	1267		{ 1N5	5AX4	{ 5W4
0B3	VR90		{ 1D5		{ 5Y3
0C3	VR105	1Q5	1C5		{ 5Z4
0D3	VR150	1S6	1T6		
0Y4	0Y4G		{ 1L4		{ 5AX4
	{ CK1005	1T4	{ 1U4		{ 5U4
0Z4	{ 1003		{ 1A5		{ 5V4
	{ 0Z4A	1T5	{ 1G4	5AZ4	{ 5W4
	{ 1B4	1T6	1S6		{ 5Y3
1A4	{ 32		{ 1L4		{ 5Z4
	{ 34	1U4	{ 1T4		
	{ 1A4P	IV	6Z3		{ 5AX4
1A5	1G4	1V5	{ 1AC5		{ 5AZ4
1A7	1D7	1W5	{ 1W5		{ 5U4
1AC5	1V5	2A3	1V5	5T4	{ 5V4
1AD5	1W5	2A7	45		{ 5W4
	{ 1A4	2B7S	2A7S		{ 5Y3
1B4	{ 32		2B7		{ 5Z4
	{ 34	2C52	{ 12SN7		{ 5AX4
1B8	1D8	2E5	{ 12SX7		{ 5AZ4
1C5	1Q5	2E30	2G5	5U4	{ 5T4
1C8	1E8	2E31	5812		{ 5V4
1D5	1E5	2E32	2E32		{ 5W4
1D8	1B8	2E35	2E31		{ 5Z4
1E4	1G4	2E36	2E36		
1E5	1D5	2E41	2E35		{ 5AX4
1E8	1C8	2E41	2E42	5V4	{ 5AZ4
	{ 1E4	2E42	2E41		{ 5T4
1G4	{ 1H4	2G5	2E42		{ 5U4
1G5	1J5	2G21	2E5		{ 5W4
1H4	{ 1G4	2G22	2G21		{ 5AX4
	{ 1E4	2G22	2G21		{ 5AZ4
1J5	1G5	3B5	{ 3C5		{ 5T4
1L4	{ 1T4	3B7	{ 3Q5	5W4	{ 5U4
	{ 1U4		1291		{ 5V4
1LA4	1LB4	3C5	{ 3B5		{ 5Z4
1LA6	1LC6	3LE4	{ 3Q5		
1LB4	1LA4	3Q4	3LF4		{ 5Z3
1LC5	{ 1LG5	3Q5	3S4	5X3	{ 80
	{ 1LN5		{ 3B5		{ 83
1LC6	1LA6	3Q5	3C5		
1LG5	1LC5	3S4	3Q4	5X4	5Y4

Directly Interchangeable Tubes—(Continued)

Tube Number	Replace with	Tube Number	Replace with	Tube Number	Replace with
5Y3	{ 5AX4 5AZ4 5T4 5U4 5V4 5W4 5Z4	6AJ5 6AJ7 6AK5 6AK7 6AL5	{ 6AK5 6AB7 6AC7 6AJ5 6AG7 5726 6AV6 6BF6 6BK6 6BT6 6BU6	6C6 6D6 6D7 6E5 6E7 6F4 6F7 6G5 6H5 6D5	{ 6D6 77 6C6 77 6E7 6T5 6U5 6D7 6L4 6F7S 6E5 6T5 6U5 6U5 6AD5 6AE5 6AF5 6C5
5Y4	5X4	6AT6		6I7	{ 1233, 6K7
5Z3	{ 5X3 80 83	6AU6	{ 6AG5 6BA6 6BD6 6AU5	6J7	{ 6U7
5Z4	{ 5AX4 5AZ4 5T4 5U4 5V4 5W4 5Y3	6AV5 6AV6 6AX4	{ 6BD5 6AT6 6U4 6W4	6J8 6K7 6K8 6K4	{ 6A8 6K8 6J7 6AD4
6A4	52	6B5	42	6L4	6F4
6A8	6J8	6B6	6Q7	6L6	1614
6AB7	{ 6AC7 6AJ7		{ 6AU6 6BD6	6L7	1612
6AC5G	6AC5GT	6BA6	{ 6AG5 6BC5 6CB6	6K8	{ 6AB
6AC7	{ 6AB7 6AJ7		{ 6AG5 6AU6	6L4	6J8
6AD4	6K4		{ 6BC5 6AU6	6K7	{ 6U7
6AD5	{ 6AE5 6AF5 6C5 6J5	6BC5	{ 6AG5 6BC5 6CB6	6K8	{ 6AB
6AD6	6AF6	6BE6	5915	6L4	6F4
6AE5	{ 6AD5 6AF5 6C5 6J5	6BF6	6BU6	6L6	1614
6AF5	{ 6C5 6D5 6AD5	6BG7	6BF7	6L7	1612
6AF6	{ 6AD5 6AE5	6BH6	6BJ6	6P5	{ 6AD5
6AG5	{ 6BC5 6BA6 6BD6 6CB6 6AU6	6BJ6	{ 6BH6 6AT6 6AV6	{ 6AE5 6AF5 6C5 6J5	
		6BK6	{ 6BF6 6BT6 6BU6	6Q7	{ 6B6, 6R7
			{ 6BT6 6BU6	6R7	{ 6Q7
			{ 6BU6		{ 6V7
		6BT6	6BK6	6SA7	6SB7Y
		6BU6	6BF6	6S7	6W7
		6C4	9002	6SB7Y	6SA7
			{ 6AD5		{ 6SE7
			{ 6AE5		{ 6SJ7
		6C5	{ 6AF5	6SD7	{ 6SK7
			{ 6D5		{ 5693

Directly Interchangeable Tubes—(Continued)

Tube Number	Replace with	Tube Number	Replace with	Tube Number	Replace with
6SE7	{ 6SD7 6SJ7 6SK7 5613	7AH7 7AJ7 7B4 7B6	7AG7 7H7 7A4 7E6	12AY7 12AZ7 12B7	12AX7 12AV7 14A7
6SF7	6SV7	7B7	{ 7C7 7AH7	12BA6	{ 12AU6 12BD6
6SH7	{ 6SG7 6SJ7 6SK7	7B8	{ 7J7 7S7	12BD6	{ 12AU6 12BA6
6SJ7	6SK7, 5693	7C7	7B7	12BF6	12BU6
6SK7	{ 6SG7 6SH7 6SJ7	7E5 7E6 7E7	1201 7B6 7R7	12BK6	{ 12AT6 12AV6 12BT6 12BU6
6SL7	{ 6SU7 5691, 5692	7F7 7G7 7H7	7AF7 7V7 { 7A7 7L7	12BT6	{ 12AT6 12AV6 12BK6 12BU6
6SN7	{ 5692 5691	7J7	7B8	12BU6	12BF6
6SQ7	6SR7	7L7	{ 7A7 7H7	12J7	12K7
6SR7	6SQ7	7R7	7E7	12K7	12J7
6ST7	6SZ7	7S7	{ 7B8 7J7	12K8	12A8
6SU7	6SL7	7T7	7A7, 7H7, 7V7	12L8	1644
6SV7	6SF7	7V7	7T7	12SA7	12SY7
6SZ7	6ST7	7Z4	7T7, 7A7, 7H7	12SC7	1634
6T5	{ 6E5 6U5	10	7X6	12SG7	{ 12SH7 12SJ7
6U4	{ 6W4 6AX5	10Y	10Y	12SK7	{ 12SK7
6U5	{ 6E5 6T5	12A	71A	12SH7	{ 12SG7 12SJ7
6U7	6K7	12A8	12K8	12SK7	{ 12SK7
6V7	6R7	12AT6	{ 12AV6 12BK6	12SJ7	{ 12SG7 12SH7 12SK7
6W4	{ 6U4 6AX4	12AU7	12AU7	12SK7	{ 12SG7 12SH7 12SJ7
6W7	6S7	12AU6	{ 12BA6 12BD6	12SN7	{ 12SX7
6X8	6U8	12AU7	12AT7	12SQ7	12SR7
6Z3	1V	12AV6	{ 12BK6 12BT6 12BU6	12SR7	12SQ7
6Z5	6Y5	12AV7	12AT7	12SW7	12SR7
7A4	7B4	12AV7	{ 12AT6 12BK6 12BT6 12BU6	12SX7	12SN7
7A7	{ 7H7 7L7	12AV7	{ 12AV7 12AZ7 12AY7	12SY7	12SA7
7AB7	1204	12AV7	12AZ7	14A7	12B7
7AF7	7F7	12AV7	12AY7		
7AG7	7AH7	12AX7			

Directly Interchangeable Tubes—(Continued)

Tube Number	Replace with	Tube Number	Replace with	Tube Number	Replace with
14AF7	14F7	40	01A	1232	7G7
14B6	14E6	41	42	1267	0A4
	{14J7	42	6B5	1273	7A7
14B8	{14S7	45	2A3	1274	6X5
	{12B7	50	10		{5X3
14C7	{1284	50A6	50Z6	1275	{80
14E6	14B6	50C6	50L6		{83
14E7	14R7	50Y7	50Z7	1280	14H7
14F7	14AF7	50Z6	50AX6	1284	12B7
	{12B7	50Z7	50Y7	1291	3B7
14H7	{14A7	53	5608-A	1294	1R4
	{14B8	55	2A6	1299	3D6
14J7	{14S7	56	27	1612	6L7
	{12B7	57	58	1614	6L6
14R7	14E7	76	37	1620	6J7
	{14J7	77	6C6	1634	12SC7
14S7	{14B8	78	6D6		
	{12B7	80	{83	1644	12L8
14W7	{14A7		{5Z3	5517	CK1003
19C8	19T8	81	50		{9001, 5591
19T8	19C8	82	{2A3	5590	{9003
	{25B6	83	5Z3, 80	5591	5590
25A6	{25C6	85	75	5608-A	53
	{25L6	117L7	117M7		{6AJ5
	{5824	117N7	117P7	5654	{6AK5
25A7	32L7	950	1F4	5672	5678
25B5	43	954	956	5678	5672
25S	1B5	955	5731		{6SN7
25Y5	25Z5	956	954	5691	{5692
26BK6	26C6	CK1005	{0Y4		{5691
26C6	26BK6	CK1013	{0Z4A	5692	{6SN7
27	56	5517			
		1201	7E5	5693	6SJ7
32	{1A4	1203	7C4	5725	{6AJ5
	{1B4	1204	7AB7		{6AK5
32L7	25A7	1206	768	5731	9J5
	{1A4	1221	6C6		{25A6
34	{1B4	1223	6J7		{25B6
36	39	1229	1A4	5824	{25C6
37	76	1230	30		{25L6
39	36	1231	7V7	5915	6BE6

Directly Interchangeable TV Picture Tubes

Tube Number	Replace with	Tube Number	Replace with	Tube Number	Replace with
7NP4	7WP4*	12VP4	12VP4A	16JP4	16JP4A
7WP4	7NP4	14BP4	14BP4A	16JP4	16HP4
8AP4	8AP4A	14BP4	14CP4	16JP4A	16HP4A
8AP4A	8AP4	14BP4A	14EP4	16KP4	16KP4A
10BP4	10BP4A	14CP4	14BP4	16KP4	16RP4
10BP4	10FP4		14BP4A	16KP4A	16TP4
10BP4A	10FP4A	14EP4	14EP4	16LP4	16LP4A
10EP4	10CP4		14BP4	16LP4	16ZP4
10FP4	10FP4A	14FP4	14BP4•	16LP4A	
10MP4	10MP4A		14BP4A•	16MP4	16MP4A
10MP4A	10MP4		14CP4•	16MP4	16HP4
12KP4	12KP4A	15CP4	16CP4	16MP4A	16HP4A
12LP4	12LP4A	16AP4	16AP4A	16QP4	16XP4
12LP4	12KP4*	16AP4A	16AP4	16RP4	16KP4
12LP4A	12KP4A*	16CP4	15CP4		16KP4A
	12VP4				16TP4
	12VP4A	16DP4	16DP4A	16SP4	16SP4A
	12TP4	16DP4	16HP4	16SP4A	16SP4
12QP4	12QP4A	16DP4A	16HP4A•	16SP4	16WP4A
12QP4	12JP4*		16JP4•	16SP4A	
12QP4A	12RP4		16JP4A•	16UP4	16KP4•
12RP4	12JP4*		16MP4•		16KP4A•
	12QP4	16EP4	16EP4A		16RP4•
	12QP4A		16EP4B		16TP4•
12TP4	12KP4•*	16GP4	16GP4A	16VP4	16YP4•
	12KP4A•*		16GP4B		
	12RP4*			16WP4	16SP4•
	12VP4•	16HP4	16HP4A		16SP4A•
	12VP4A•	16HP4	16JP4		16WP4A•
12UP4	12UP4A	16HP4	16JP4A	16WP4A	16SP4
		16HP4A	16JP4A		16SP4A

*Connect external connector to chassis.

*Remove ion trap.

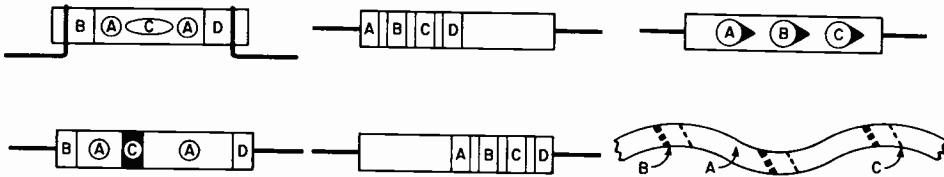
Directly Interchangeable TV Picture Tubes (Continued)

Tube Number	Replace with	Tube Number	Replace with	Tube Number	Replace with
16XP4	16QP4	17QP4	17UP4	20GP4	20JP4
16ZP4	16LP4	17RP4	17HP4	20HP4	20HP4B
	16LP4A		17HP4A		
			17KP4	20HP4	20HP4A•
17AP4	17BP4A	17UP4	17QP4	20HP4B	20JP4•
	17BP4B				20LP4•
	17BP4C	17VP4	17LP4	21EP4A	21EP4B
	17JP4		17LP4A		
17BP4	17AP4•		17SP4	21FP4	21FP4A•
	17BP4A•	19AP4	19AP4A		21KP4
	17BP4B•		19AP4B		21KP4A•
	17BP4C•		19AP4C	21FP4A	21KP4A
	17JP4•		19AP4D		
17BP4A	17BP4B	19DP4	19DP4A	21KP4	21KP4A•
	17BP4C	19DP4A	19DP4	21WP4	20CP4A
17BP4A	17AP4	19EP4	19JP4	21ZP4	21ZP4A•
17BP4B	17JP4				
17BP4C		19FP4	19DP4•	22AP4	22AP4A
17CP4	17CP4A		19DP4A•	22AP4A	22AP4
17CP4A	17CP4	19JP4	19EP4	24AP4	24AP4A
17FP4	17FP4A	20CP4	20CP4A		24AP4B
			20CP4C		
17FP4A	17FP4		20DP4	24AP4B	24AP4
			20DP4A•		24AP4A
17HP4	17HP4A	20CP4A	20CP4•	27EP4	27GP4
			20DP4A		27NP4
17HP4A	17HP4				27RP4
17HP4	17KP4	20CP4C	20CP4		
17HP4A	17RP4		20CP4A•	27GP4	27EP4
			20DP4		27NP4•
17JP4	17AP4	20CP4C	20DP4A•		27RP4•
	17BP4A				
	17BP4B	20DP4	20CP4	27NP4	27EP4
	17BP4C		20CP4C		27GP4
17LP4	17LP4A		20CP4A•		27RP4
			20DP4A•	27RP4	27EP4
17LP4	17SP4	20FP4	20GP4•		27GP4
17LP4A	17VP4		20JP4		27NP4

•Connect external connector to chassis.

Resistor Color Code

RETMA STANDARD REC-116 MILITARY STANDARD MIL-R-11A



Color	1st Digit A	2nd Digit B	Multiplier C	Tolerance D
Black	0	0	1	—
Brown	1	—	10	—
Red	2	2	100	—
Orange	3	3	1,000	—
Yellow	4	4	10,000	—
Green	5	5	100,000	—
Blue	6	6	1,000,000	—
Violet	7	7	10,000,000	—
Gray	8	8	100,000,000	—
White	9	9	—	—
Gold	—	—	0.1	± 5%
Silver	—	—	0.01*	± 10%
No Color	—	—	—	± 20%

*RETMA ONLY.

INSULATION CODING

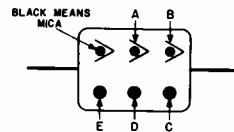
RETMA: Insulated resistors with axial leads are designated by a background of any color except black. The usual color is natural tan. Noninsulated resistors with axial leads are designated by a black background color.

MILITARY (MIL): Same as RETMA with the addition of: Noninsulated resistors with radial leads designated by a black background color or by a background the same color as the first significant figure of the resistance value.

Mica Capacitor Color Code

MILITARY STANDARD

MIL-C-5A



Color	Digits of Capacitance ($\mu\mu F$)		Multiplier C	Tolerance $\mu\mu F$ D	Characteristic. See table below E
	A	B			
Black	0	0	1	± 20	—
Brown	1	1	10	—	B
Red	2	2	100	± 2	C
Orange	3	3	1,000	—	D
Yellow	4	4	—	—	E
Green	5	5	—	—	F
Blue	6	6	—	—	—
Violet	7	7	—	—	—
Gray	8	8	—	—	—
White	9	9	—	—	—
Gold	—	—	0.1	± 5	—
Silver	—	—	0.01	± 10	—

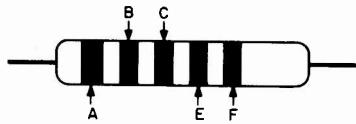
DESCRIPTION OF CHARACTERISTIC**VOLTAGE RATING**
(Indicated by dimensions rather than color coding)

Characteristic	Temperature Coefficient (parts per million per $^{\circ}C$)	Maximum Capacitance Drift	Minimum Insulation Resistance (megohms)
B	Not specified	Not specified	7500
C	± 200	± 0.5%	7500
D	± 100	± 0.3%	7500
E	+100 -20	± (0.1% + 0.1 $\mu\mu F$)	7500
F	+70	± (0.05% + 0.1 $\mu\mu F$)	7500

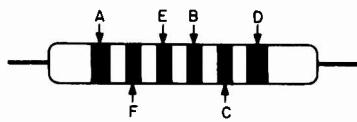
Maximum Inches	Style CM	Capacitance ($\mu\mu F$)	Rating (v d-c)
35/64	5/16	7 1/2	15 5-510 300
51/64	15/32	7 1/2	20 560-1000 300
17/64	15/32	7 1/2	25 51-1000 500
53/64	53/64	9 3/8	30 560-3300 500
53/64	53/64	11 1/2	35 3600-6200 500
11 1/2	41/64	11 1/2	40 6800-10,000 300
			3300-8200 500
			9100-10,000 300

Ceramic Capacitor Color Code

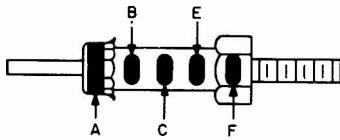
RETMA STANDARD REC-107A
 MILITARY STANDARD JAN-C-20A
 Proposed Mil-C-20A



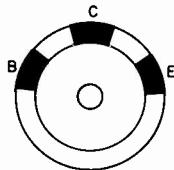
Tubular Capacitors
 (Voltage rating is always 500 v.)



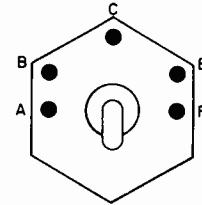
Tubular Capacitors
 (Old RMA)



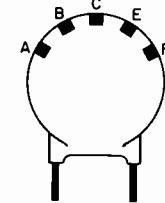
Stand-Off Capacitors
 (RETMA ONLY)



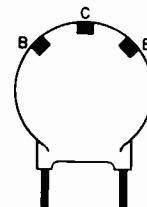
3-Dot Button Capacitors
 RETMA ONLY



Feed Through Capacitors
 (RETMA ONLY)



5-Dot Disc Capacitors
 (RETMA ONLY)
 (Voltage rating is always 500 v.)



3-Dot Disc Capacitors
 (RETMA ONLY)
 (Voltage rating is always 500 v.,
 tolerance is always -0.)

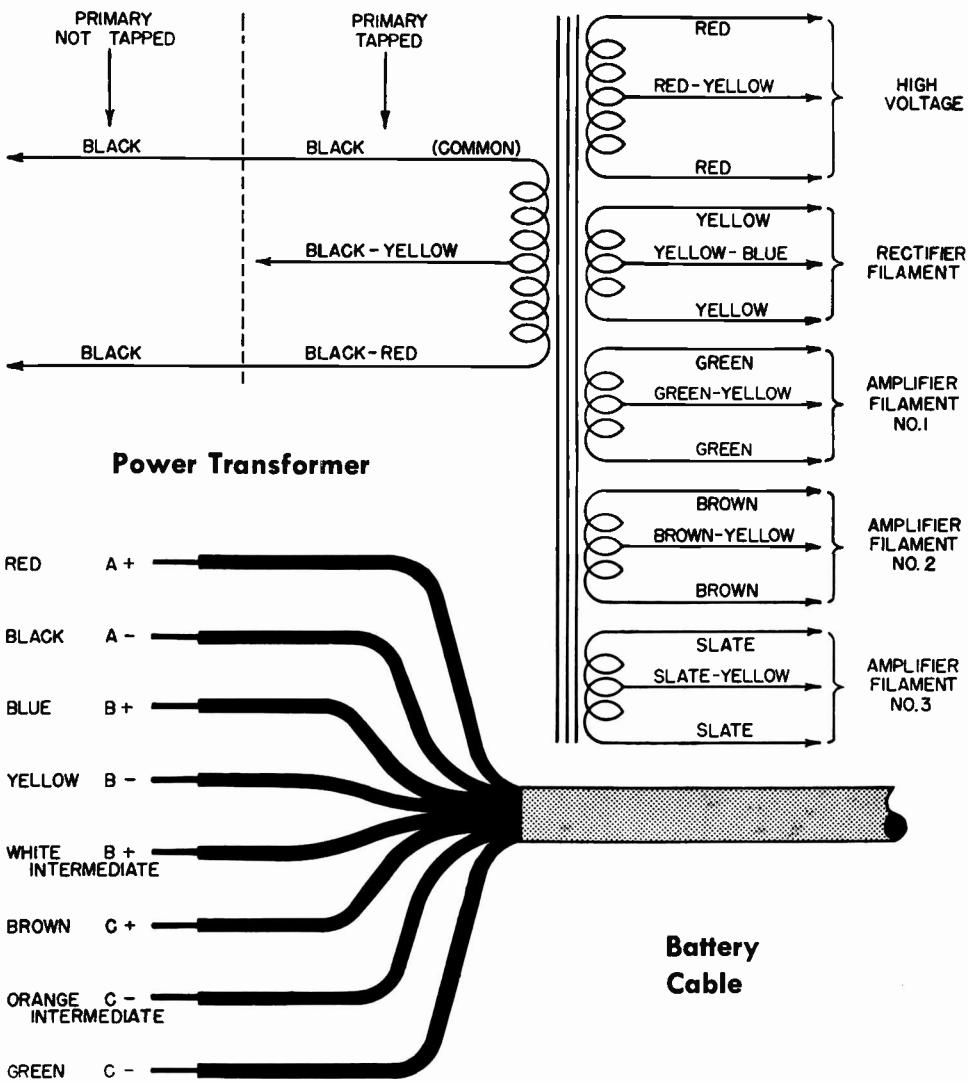
Color	Digits of Capacitance (μuf)			Multiplier E	Tolerance F		Temp. Coef. A (Parts per million per $^{\circ}\text{C}$.)	
	B	C	D		10 μuf or less (μuf)	Over 10 μuf (%)	RETMA	MILITARY
Black	0	0	0	1	± 2.0 *	$\pm 20^*$	0	0
Brown	1	1	1	10	$\pm 0.1^*$	± 1	— 33	— 30
Red	2	2	2	100	—	± 2	— 75	— 80
Orange	3	3	3	1,000	—	$\pm 2.5^*$	— 150	— 150
Yellow	4	4	4	10,000*	—	—	— 220	— 220
Green	5	5	5	—	± 0.5	± 5	— 330	— 330
Blue	6	6	6	—	—	—	— 470	— 470
Violet	7	7	7	—	—	—	— 750	— 750
Gray	8	8	8	0.01	± 0.25	—	+ 150 to — 1500	+ 30
White	9	9	9	0.1	± 1.0	± 10	+ 100 to — 750	+ 330*
Gold	—	—	—	—	—	—	—	+ 100

*RETMA only

RETMA Color Codes

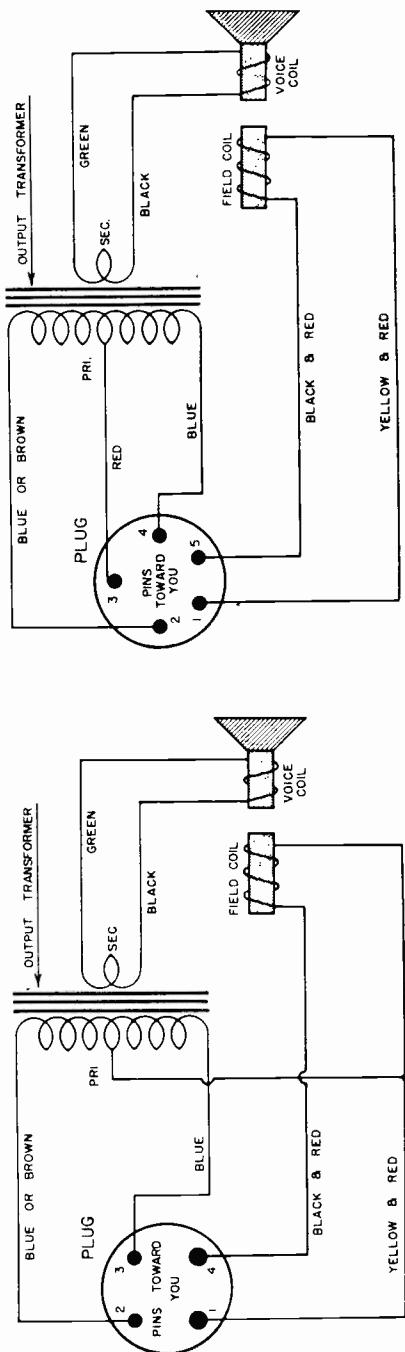
The color codes on the preceding and two following pages are used by most radio and instrument manufacturers in the wiring of their products, and by parts manufacturers for identifying lead placement or resistor and capacitor values, ratings, and tolerances. These have been included for whatever help they may provide in identifying parts and

leads when trouble-shooting. Since all manufacturers do not use these codes, however, due caution must be observed to determine whether or not the set, instrument, or part under examination does or does not follow the code colors given here. A quick check with a voltmeter, ohmmeter, or continuity meter is usually all that is needed to establish this fact.

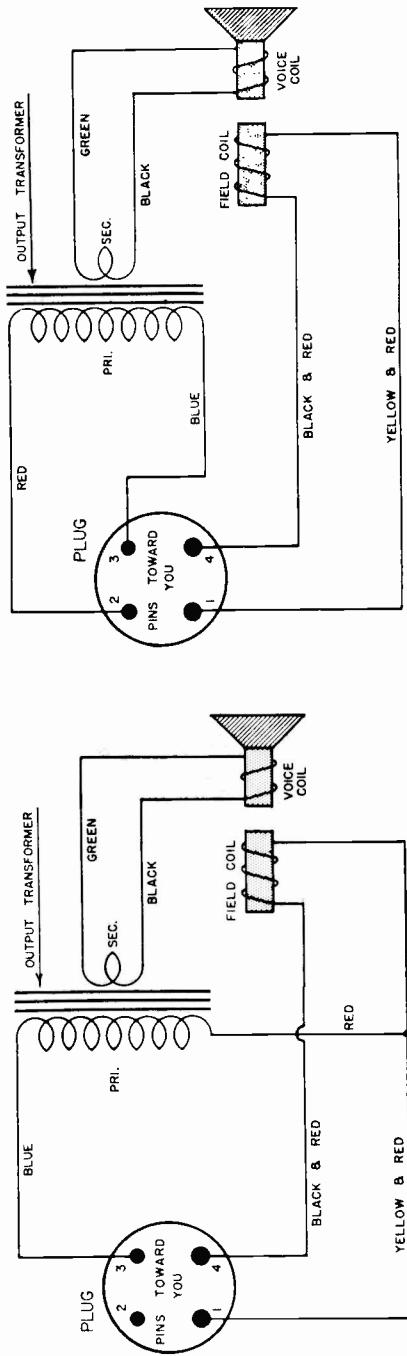


RETMA Color Codes—(Continued)

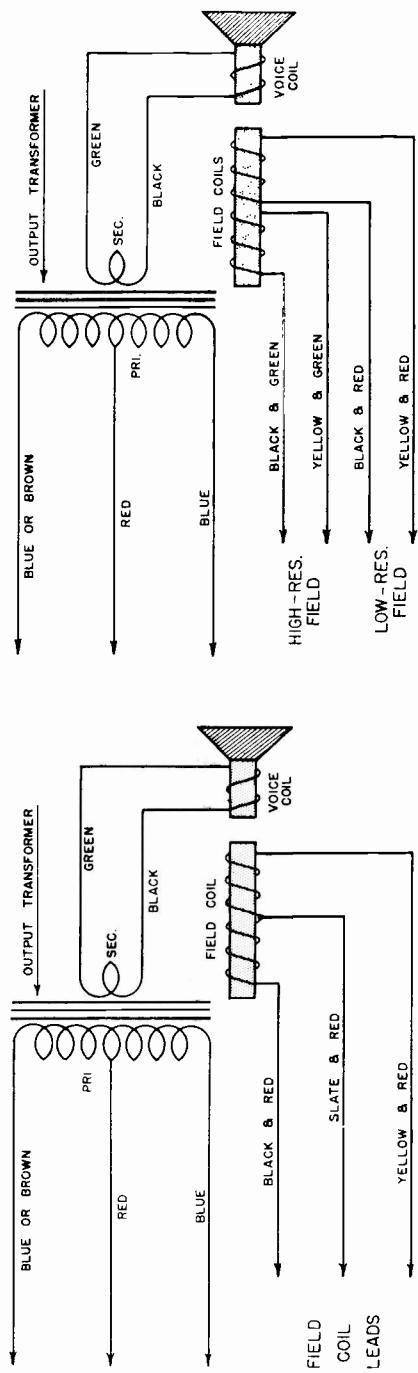
Speaker Leads and Plug Connections



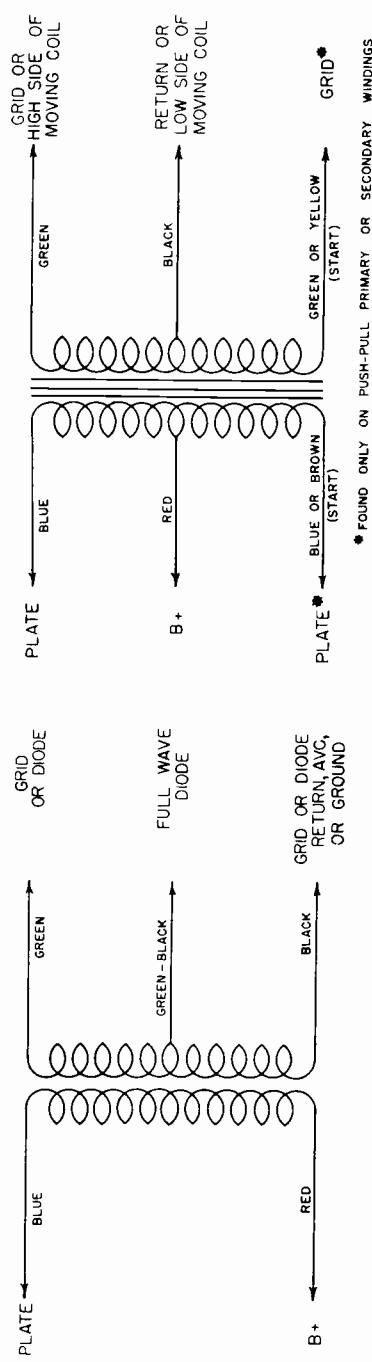
Speaker Leads and Plug Connections



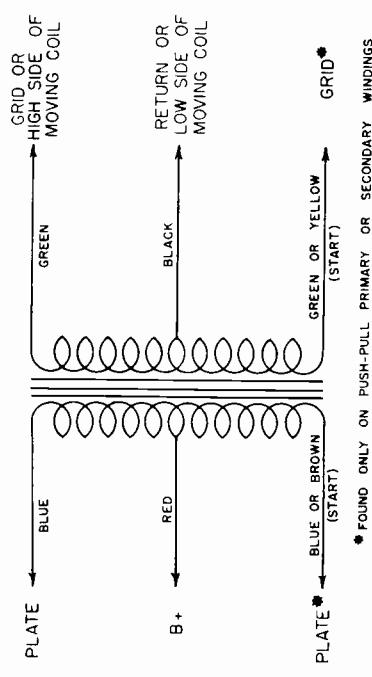
Speaker Lead Color Codes—(Continued)



I-F Transformers



Audio & Output Transformers



* FOUND ONLY ON PUSH-PULL PRIMARY OR SECONDARY WINDINGS

Schematic Symbols Used in Radio Diagrams

	ANTENNA (AERIAL)		IRON CORE CHOKE COIL		SWITCH (ROTARY OR SELECTOR)
	GROUND		R.F. TRANSFORMER (AIR CORE)		CRYSTAL DETECTOR
	ANTENNA (LOOP)		A.F. TRANSFORMER (IRON CORE)		LIGHTNING ARRESTER
	WIRING METHOD 1 CONNECTION		POWER TRANSFORMER P - 115 VOLT PRIMARY S1 - CENTER-TAPPED SECONDARY FOR FILAMENTS OF SIGNAL CIRCUIT TUBES S2 - SECONDARY FOR RECTIFIER TUBE FILAMENT S3 - CENTER-TAPPED HIGH-VOLTAGE SECONDARY		FUSE
	NO CONNECTION				PILOT LAMP
	WIRING METHOD 2 CONNECTION				HEADPHONES
	NO CONNECTION		FIXED CAPACITOR (MICA OR PAPER)		LOUDSPEAKER, P. M. DYNAMIC
	TERMINAL		FIXED CAPACITOR (ELECTROLYTIC)		LOUDSPEAKER, ELECTRODYNAMIC
	ONE CELL OR "A" BATTERY		ADJUSTABLE OR VARIABLE CAPACITOR		PHONO PICK-UP
	MULTI-CELL OR "B" BATTERY		ADJUSTABLE OR VARIABLE CAPACITORS (GANGED)		VACUUM TUBE HEATER OR FILAMENT
	RESISTOR		I.F. TRANSFORMER (DOUBLE-TUNED)		VACUUM TUBE CATHODE
	POTENTIOMETER (VOLUME CONTROL)		POWER SWITCH S. P. S. T.		VACUUM TUBE GRID
	TAPPED RESISTOR OR VOLTAGE DIVIDER		SWITCH S. P. D. T.		VACUUM TUBE PLATE
	RHEOSTAT		SWITCH D. P. S. T.		3-ELEMENT VACUUM TUBE (TRIODE)
	AIR CORE CHOKE COIL		SWITCH D. P. D. T.		ALIGNING KEY OCTAL BASE TUBE

Abbreviations and Letter Symbols

Many of the abbreviations given are in lower-case letters. Obviously, however, there will be occasions such as when the abbreviations are used in titles where the original word would have been capitalized. In these cases, the abbreviation should be similarly capitalized.

A two-word adjective expression should contain a hyphen.

<i>Term</i>	<i>Abbre-i-ation</i>	<i>Term</i>	<i>Abbre-i-ation</i>
Admittance.....	<i>Y</i>	Low-frequency (adjective).....	l-f
Alternating-current (adjective)....	a-c	Low frequency (noun).....	l.f.
Alternating current (noun).....	a.c.	Magnetic field intensity.....	<i>H</i>
Ampere.....	<i>a</i>	Megacycle.....	Mc
Angular velocity ($2\pi f$).....	ω	Megohm.....	$M\Omega$
Antenna.....	ant.	Meter.....	<i>m</i>
Audio-frequency (adjective).....	a-f	Microampere.....	μa
Audio frequency (noun).....	a.f.	Microfarad (mfld).....	μf
Automatic volume control.....	a.v.c.	Microhenry.....	μh
Automatic volume expansion.....	a.v.e.	Micromicrofarad (mmfd).....	$\mu \mu f$
Capacitance.....	<i>C</i>	Microvolt.....	μv
Capacitive reactance.....	X_C	Microvolt per meter.....	$\mu v/m$
Centimeter.....	<i>cm</i>	Microwatt.....	μw
Conductance.....	<i>G</i>	Milliampere.....	<i>ma</i>
Continuous waves.....	c.w.	Millihenry.....	<i>mh</i>
Current.....	<i>I, i</i>	Millivolt.....	<i>mv</i>
Cycles per second.....	\sim	Millivolt per meter.....	mv/m
Decibel.....	db	Milliwatt.....	<i>mw</i>
Direct-current (adjective).....	d-c	Modulated continuous waves.....	<i>m.c.w.</i>
Direct current (noun).....	d.c.	Mutual inductance.....	<i>M</i>
Double cotton covered.....	d.c.e.	Ohm.....	Ω
Double pole, double throw.....	d.p.d.t.	Power.....	<i>P</i>
Double pole, single throw.....	d.p.s.t.	Power factor.....	p.f.
Double silk covered.....	d.s.c.	Radio-frequency (adjective).....	r-f
Electric field intensity.....	<i>E</i>	Radio frequency (noun).....	r.f.
Electromotive force.....	e.m.f.	Reactance.....	<i>X</i>
Frequency.....	<i>f</i>	Resistance.....	<i>R</i>
Frequency modulation.....	f.m.	Revolutions per minute.....	r.p.m.
Ground.....	gnd.	Root mean square.....	r.m.s.
Henry.....	<i>h</i>	Self-inductance.....	<i>L</i>
High-frequency (adjective).....	h-f	Short wave.....	s.w.
High frequency (noun).....	h.f.	Single cotton covered.....	s.c.e.
Impedance.....	<i>Z</i>	Single cotton enamel.....	s.c.e.
Inductance.....	<i>L</i>	Single pole, double throw.....	s.p.d.t.
Inductive reactance.....	X_L	Single pole, single throw.....	s.p.s.t.
Intermediate-frequency (adjective)	i-f	Single silk covered.....	s.s.c.
Intermediate frequency (noun).....	i.f.	Tuned radio frequency.....	t.r.f.
Interrupted continuous waves.....	i.c.w.	Ultra high frequency.....	u.h.f.
Kilocycle.....	kc	Vacuum tube voltmeter.....	v.t.v.m
Kilohm.....	$k\Omega$	Volt.....	<i>v</i>
Kilovolt.....	kv	Voltage.....	<i>E, e</i>
Kilovolt ampere.....	kva	Volt-Ohm-Milliammeter.....	v.o.m.
Kilowatt.....	kw	Watt.....	<i>w</i>

INDEX

Abbreviations.....	55	Minimum Loss Pads.....	10
Admittance.....	17	Mutual Inductance.....	13
Algebraic Formulas.....	5	Ohm's Law.....	24-25
Algebraic Symbols.....	4	Open-Air Transmission Lines.....	20
Attenuator Networks.....	7-9	Peak Current.....	21
Average Current.....	21	Peak Volts.....	21
Average Volts.....	21	Phase Angle.....	24
Capacitance.....	12, 20, 29-32, 47-50	Pilot Lamp Data.....	38
Capacitors.....	12, 47-50	Power Factor.....	24
Coefficient of Coupling.....	13	"Q" Factor.....	14
Coils.....	26, 28-29	Quadratic Equations.....	5
Concentric Transmission Lines.....	20	R-F Coils.....	26, 28-29
Conductance.....	17	R.M.S. Current.....	21
Constants.....	4, 12, 21	R.M.S. Volts.....	21
Conversion Chart.....	37	Radicals and Exponents.....	5
Coulombs.....	12	Radio Color Codes.....	47-53
Coupled Inductance.....	12	Reactance.....	13, 29-32
Coupling Coefficient.....	13	Resistance.....	12, 22, 24-25
Decay of <i>E</i> & <i>I</i> in LCR Circuits ..	18-19	Resistor-Capacitor Color Codes ..	47-50
Decibels.....	5-6	Resistors.....	47
Diagram Symbols.....	54	Resonance.....	13, 29-32
Dielectric Constants.....	12	Schematic Symbols.....	54
Exponents and Radicals.....	5	Self-Inductance.....	12
Fractional Inches.....	4	Shunts.....	22-23
Frequency.....	13, 20, 29-32	Solution of a Quadratic.....	5
Growth of <i>E</i> & <i>I</i> in LCR Circuits ..	18-19	Speaker Matching—70 Volt System ..	11
Impedance.....	14-16, 20	Steady State <i>I</i> and <i>E</i>	19
Inches to Millimeters.....	4	Susceptance.....	17
Inductance.....	12, 13, 26, 28-32	Symbols.....	54-55
Interchangeable Batteries	45-46	Transient <i>I</i> and <i>E</i>	18-19
Interchangeable Tubes.....	39-44	Transmission Lines.....	20
Log Tables.....	56-57	Trigonometric Formulas.....	36
Logarithms—How to use.....	33-35	Trigonometric Functions.....	36
Mathematical Constants.....	4	Trigonometric Tables.....	58-63
Mathematical Symbols.....	4	Vacuum Tube Constants.....	21
Meter Formulas.....	22-23	Vacuum Tube Formulas.....	21
Metric Relationships.....	37	Vacuum Tube Symbols.....	21
Millimeters to Inches.....	4	Vertical Antenna, Capacitance ..	20
Mixers.....	9	Wavelength.....	13, 20
Multipliers.....	22-23	Wire Tables.....	26-27

**Consult Your ALLIED Catalog
for Everything in Radio, Television and Industrial Electronics**



